

13. Check for Venting Requirements as per API 2000

Out breathing

As per Clause 4.3.2.2

The requirement of venting capacity for maximum liquid movement in to a tank with a flash point of 37.8°C or above should be equivalent to 1.01 Nm³/h per cubic meter per hour of maximum filling rate.

In our case the filling rate is = 30 Cu.M/h

Required venting capacity for the maximum liquid movement into a tank = 30.3 Nm³/h

As per Clause 4.3.2.2.2, the requirement for venting capacity for thermal outbreathing for liquid with a flash point of 37.8 °C or above should be at least as shown in the Column 3 of Table 2:

Tank capacity = 510.4 Cu.M

Required venting capacity for thermal outbreathing
 $50.6 + [(70.8 - 50.6) / (700 - 500)] * (510.4 - 500)$ = 51.65 Nm³/h

Total venting capacity required for out breathing = **81.95 Nm³/h**

Inbreathing

As per Clause 4.3.2.1

The requirement of venting capacity for maximum liquid movement out of the tank should be equivalent to 0.94 Nm³/h of air for each Cu.M per hour of maximum emptying rate.

In our case the emptying rate is = 30 Cu.M/h

Required venting capacity for the maximum liquid Movement out of a tank = 28.20 Nm³/h

As per Clause 4.3.2.1.2 the requirement for venting capacity for thermal in breathing for liquid with a flash point of 37.8°C or above should be at least as shown in the Column 3 of Table 2:

Tank capacity = 510,4 Cu.M

Required venting capacity for thermal inbreathing
 $84.3 + [(118 - 84.3) / (700 - 500)] * (510.4 - 500)$ = 86.05 Nm³/h

Total venting capacity required for inbreathing = **114.25 Nm³/h**

As per Clause 4.6.1.2 theoretical flow shall be determined by:

$$Nm^3/h_{theo} = 12503 * P_1 * A * \sqrt{\{k/MTZ (k-1)*[(P_2/P_1)^{2/k} - (P_2/P_1)^{(k+1)/k}]\}}$$

Where

Nm^3/h_{theo} = theoretical flow rate, in normal cubic meters per hour of test medium (typically air)

A = Minimum flow area of device, cm^2

P_1 = Pressure at device inlet, bar

P_2 = Pressure at device outlet, bar

k = Ratio of specific heat

T = absolute temp at device inlet, $^{\circ}K$

M = Molecular weight of gas

Z = Compressibility factor to account for deviation of actual gas from a perfect gas

As per Clause F.4.1 of API 650, the maximum design pressure, for a tank that has been constructed P:

$$P = (1.1)(A)(\tan \theta)/D^2 + 0.08t_h$$

$\theta = 10^{\circ}$

A = Area resisting the compressive force mm^2 as illustrated in Figure F-2

$$A = w_c * t_c + w_h * t_h$$

$$A = 0.6 * (9500mm * 5mm)^{0.5} * 5mm + 0.3 * (9500mm * 5mm / \sin \theta)^{0.5} * 5mm$$

$$A = 130.8mm * 5mm + 156.9mm * 5mm = 1438.5 mm^2$$

D = Tank Diameter 9.505 m

t_h = Nominal roof thickness 5 mm

P = 3.49 kPa

Outbreathing requirement

P_1	=	104.815 kPa	$P_2 = 101.325 \text{ kPa}$
P_1	=	1.05 bar	
P_2/P_1	=	0.97	
$\Rightarrow K$	=	0.71	(Refer Fig 1 of API 2000)
K	=	Co-efficient of discharge	
Nm^3/h_{theo}	=	$Nm^3/h_{act} / K$	(see equation 3 in API 2000)
$\Rightarrow Nm^3/h_{theo}$	=	$81.95 Nm^3/h / 0.71$	
	=	$115.4 Nm^3/h$	
k	=	C_p/C_v	
For air C_p	=	1.01	for air $C_v = 0.72$
$\Rightarrow k$	=	1.40	
Design Temp.	=	80 °C	
T	=	353.15 K	
M (for air)	=	29 g/mol	
Z	=	1	
$2/k$	=	1.43	
$(k+1)/k$	=	1.71	
A_{req}	=	$Nm^3/h_{theo} / (12503 * P_1 * \sqrt{\{k/MTZ (k-1)*[(P_2/P_1)^{2/k} - (P_2/P_1)^{(k+1)/k}]\}})$	
$\Rightarrow A_{req}$	=	5.27 cm^2	
Provided Size	=	300 mm	
Provided qty.	=	1 No.	
A_{prov}	=	706.86 cm^2	

In breathing requirement

P_1	=	101.325 kPa	$P_2 = 101.325 \text{ kPa}$
P_1	=	1.01 bar	
P_2 / P_1	=	1.0	
$\Rightarrow K$	=	0.7	
K	=	Co-efficient of discharge	
$\text{Nm}^3/\text{h}_{\text{theo}}$	=	$\text{Nm}^3/\text{h}_{\text{act}} / K$	(see equation 3 in API 2000)
$\Rightarrow \text{Nm}^3/\text{h}_{\text{theo}}$	=	$114.25 \text{ Nm}^3/\text{h} / 0.70$	
	=	163.2 Nm^3/h	
For air C_p	=	1.01	
For air C_v	=	0.72	
k	=	1.403	
Amp temp.	=	257 °F	125 °C
T	=	717	
M (for air)	=	29	
Z	=	1	
2/k	=	1.426	
$(k+1)/k$	=	1.713	
A	=	5.738 inch	= 3701.71 mm^2
Provided Size	=	12 inch	= 300 mm
Provided qty.	=	1 No.	
A	=	113.10 sq.in	72965.88 mm^2

Hence provided vent is safe