

224 Computer-Aided Design of Electrical Machines

- (f) Calculation of total losses, Efficiency, Slip, Starting torque, Temp-rise, Total Weight and Kg/KW.

Note: By adding programs established for each part sequentially we get the Program for complete design.

Problem: Design a 30 KW, 440V, 50 Hz, delta connected, 3 ph Squirrel Cage Ind.Motor

7.1.3 Calculation of Stator Main Dimensions and Flux (Part-1)

Table 7.1 Approx. Values of Bav and q.

KW	1	2	5	10	20	50	100	500
Bav(T)	0.35	0.38	0.42	0.46	0.48	0.50	0.51	0.53
q(ac/m)	16000	19000	23000	25000	26000	29000	31000	33000

Table 7.2 Approx. Values of Power-Factor.

KW	5	10	20	50	100	200	500
1000rpm	0.82	0.83	0.85	0.87	0.89	0.90	0.92
1500rpm	0.85	0.86	0.88	0.90	0.91	0.92	0.93

Table 7.3 Approx. Values of Efficiency.

KW	5	10	20	50	100	200	500
1000rpm	0.83	0.85	0.87	0.89	0.91	0.92	0.93
1500rpm	0.85	0.87	0.88	0.90	0.91	0.93	0.94

From Table.7.1, Values of Bav= 0.4838 T and q = 26802 ac/m corresponding to 30 KW

Assuming No. of Poles (P) = 6,

Sync Speed (Ns) = $120 \times f/P = 120 \times 50/6 = 1000$ RPM and $n = 1000/60 = 16.667$ rps

From Tables.7.2 and 7.3, Values of pf = 0.8621 and eff = 0.88 corresponding to 30 KW and 1000 RPM

KW input to motor = KW/eff = $30/0.88 = 34.0908$

For Δ connection, Vph = V = 440 Volts

$$\text{Phase Current} = \frac{KW_{in} \times 1000}{3 \times V_{ph} \times pf} = \frac{34.098 \times 1000}{3 \times 440 \times 0.8621} = 29.958 \text{ A}$$

Assuming Winding factor (Kw) = 0.955,

$$\begin{aligned} \text{Output Coefft}(C_0) &= 11 \times Kw \times Bav \times q \times \text{eff} \times pf \times 10^{-3} \\ &= 11 \times 0.955 \times 0.4838 \times 26802 \times 0.88 \times 0.8621 \times 10^{-3} = 103.3417 \end{aligned}$$

$$D^2 L = \frac{KW}{C_0 \times n_s} = \frac{30}{103.3417 \times 16.667} = 0.0174$$

$$\begin{aligned}\text{Total Core Length (L)} &= \sqrt{\frac{D^2 L}{(0.135 \times P)^2}} = \sqrt{\frac{0.0174}{(0.135 \times 6)^2}} \\ &= 0.1629 \text{ m} = 162.9 \text{ mm} \approx 160 \text{ mm (Rounded off)}\end{aligned}$$

Assuming Ventilating ducts (nvd) = 2, each of length (bvd) = 10 mm,

$$\text{Gross iron Length (Ls)} = L - \text{nvd} \times \text{bvd} = 160 - 2 \times 10 = 140 \text{ mm}$$

Assuming Iron factor (ki) = 0.92, Net Iron length (Li)

$$= L_s \times k_i = 140 \times 0.92 = 128.8 \text{ mm}$$

$$\begin{aligned}\text{Core inner diameter (D)} &= \sqrt{\frac{D^2 L}{L}} = \sqrt{\frac{0.0174}{140/1000}} = 0.3299 \text{ m} \\ &= 329.9 \text{ mm} \approx 330 \text{ mm (Rounded off)}\end{aligned}$$

$$\text{Polepitch (PP)} = \frac{\pi \times D}{P} = \frac{\pi \times 330}{6} = 172.79 \text{ mm}$$

$$\frac{\text{Length}}{\text{Polepitch}} = \frac{140}{172.79} = 0.926 (\approx 1 \text{ and hence OK})$$

$$\text{Periphoral Velocity (v)} = \frac{\pi \times D}{\text{ns}} = \frac{\pi \times 330}{16.67} = 17.28 \text{ m/s } (\leq 30 \text{ and hence OK})$$

$$\text{Flux (FI)} = \frac{\pi \times D \times L \times \text{Bav}}{P \times 10^6} = \frac{\pi \times 330 \times 140 \times 0.4838}{6 \times 10^6} = 0.0134 \text{ Wb}$$

7.1.3 (a) Computer Program in "C" in MATLAB for Part-1

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% 3ph, KW = 30; V = 440; P = 6; f = 50Sq.Cage IM
%-----Standard Curves/Tables for%Data----->
SKW=[1 2 5 10 20 50 100 500];
SBav=[0.35 0.38 0.42 0.46 0.48 0.50 0.51 0.53];
Sq=[16e3 19e3 23e3 25e3 26e3 29e3 31e3 33e3];
SKWa=[5 10 20 50 100 200 500];
SPF6P=[0.82 0.83 0.85 0.87 0.89 0.9 0.92]; %for 1000RPM
SEFF6P=[0.83 0.85 0.87 0.89 0.91 0.92 0.93]; % for 1000RPM
SPF4P=[0.85 0.86 0.88 0.9 0.91 .92 .93]; % for 1500RPM
SEFF4P=[.85 .87 .88 .9 .91 .93 .94]; % for 1500RPM
%(1)<-----Main Dimensions----->
KW=30;V=440;f=50; P=6; %Input Data----->
insW=3.4;Hw=4;HL=1;insH=6;nvd=2;bvd=0.01;ki=0.92;Bc=1.35;Vph=V;
%Assumptions
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Zr=1;kwr=1;cdb=6;Tb=6;cde=6;dd=0.05;Brc=1.35;    %Assumptions
spp=3;Tstrip=1.9;Zsw=3; % Assumption
Kw=0.955;nvd=2;bvd=10;ki=0.92;Tstrip=1.9;insS=0.5;%Assumptions
insW=3.4;Hw=4;HL=1;insH=6;nvd=2;ki=0.92;Bc=1.35;%Assumptions
Bav=interp1(SKW,SBav,KW,'spline');
q=interp1(SKW,Sq,KW,'spline');
pf=interp1(SKWa,SPF6P,KW,'spline');
eff=interp1(SKWa,SEFF6P,KW,'spline');
if P=4 pf=interp1(SKWa,SPF4P,KW,'spline');end;
if P=4 eff=interp1(SKWa,SEFF4P,KW,'spline');end;
KWin=KW/eff; Iph=KWin*1e3/(3*Vph*pf); Ns=120*f/P;
ns=Ns/60; C0=11*Kw*Bav*q*eff*pf*1e-3; DsqL=1/C0*(KW/ns);
L1=sqrt(DsqL/(0.135*P)^2); L=floor(L1*100)*10; Ls=(L-nvd*bvd);
Li=ki*Ls; D1=sqrt(DsqL/(L/1000)); D=ceil(D1*100)*10;
PP=pi*D/P; LbyPP=L/PP; if LbyPP <0.8||LbyPP >2 continue; end;
v=pi*D*ns/1000; if v >30 continue;end;
FI=pi*D/P*L*Bav/1e6;
%-----

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7.1.4 Design of Stator Winding (Part-2)

Assuming Slots/pole/ph(spp) = 3, No of slots(S) = spp × 3 × P = 3 × 3 × 6 = 54

$$\text{Slot pitch (sp)} = \frac{\pi \times D}{S} = \frac{\pi \times 330}{54} = 19.1986\text{mm}$$

(OK since it is between 18 and 25mm)

$$\text{Turns/ph (Tph)} = \frac{V_{ph}}{4.44 \times f \times FI \times Kw} = \frac{440}{4.44 \times 50 \times 0.0134 \times 0.955} = 154.8$$

$$\text{Conductors/ph (Zph)} = Tph \times 2 = 154.8 \times 2 = 309.7$$

$$\text{Slots/ph (sph)} = 54/3 = 18$$

$$\text{Conductors/slot (Zs)} = Zph/sph = 309.7/18 = 17.2 \approx 18 (\text{Rounded off to even integer})$$

$$\text{Corrected Turns/ph (Tph)} = Zs \times sph/2 = 18 \times 18/2 = 162$$

$$\text{Corrected flux (FI)} = \frac{V_{ph}}{4.44 \times f \times Tph \times Kw} = \frac{440}{4.44 \times 50 \times 162 \times 0.955} = 0.01281 \text{ Wb}$$