



GIVEN:  $R_{AY}$  (LOAD),  $X_{AE}$ ,  $Y_{AE}$ ,  $X_{AD}$ ,  $Y_{AD}$

FIND:  $F_{EX}$ ,  $F_{EY}$ ,  $R_{DY}$ ,  $R_{AX}$

- (1)  $\rightarrow \sum F_x: R_{AX} - F_{EX} = 0$
- (2)  $\uparrow \sum F_y: -R_{AY} + R_{DY} - F_{EY} = 0$
- (3)  $\rightarrow \sum M_A: -F_{EY}(X_{AE}) - F_{EX}(Y_{AE}) + R_{DY}(X_{AD}) = 0$
- (4)  $F_{EY} = F_E \sin(20^\circ)$
- (5)  $F_{EX} = F_E \cos(20^\circ)$

MAKING SUBSTITUTIONS & SOLVING.

$$(3) \quad -F_E \sin(20^\circ)(X_{AE}) - F_E \cos(20^\circ)(Y_{AE}) + R_D Y(X_{AD}) = \phi$$

$$-F_E (\sin(20^\circ) X_{AE} + \cos(20^\circ) Y_{AE}) + R_D Y(X_{AD}) = \phi$$

$$R_D Y = \frac{F_E (\sin(20^\circ) X_{AE} + \cos(20^\circ) Y_{AE})}{X_{AD}}$$

From (2)  $-R_A Y + \left[ \frac{F_E (\sin(20^\circ) X_{AE} + \cos(20^\circ) Y_{AE})}{X_{AD}} \right] - F_E \sin 20 = \phi$

$$-R_A Y + F_E \left[ \frac{\sin(20^\circ) X_{AE} + \cos(20^\circ) Y_{AE}}{X_{AD}} - \sin(20^\circ) \right] = \phi$$

$$F_E = \frac{R_A Y}{\left[ \frac{\sin(20^\circ) X_{AE} + \cos(20^\circ) Y_{AE}}{X_{AD}} - \sin 20 \right]}$$

MAKE OTHER SUBSTITUTIONS TO FIND

$F_{EX}, F_{EY}, R_{AX} \neq R_{DY}$