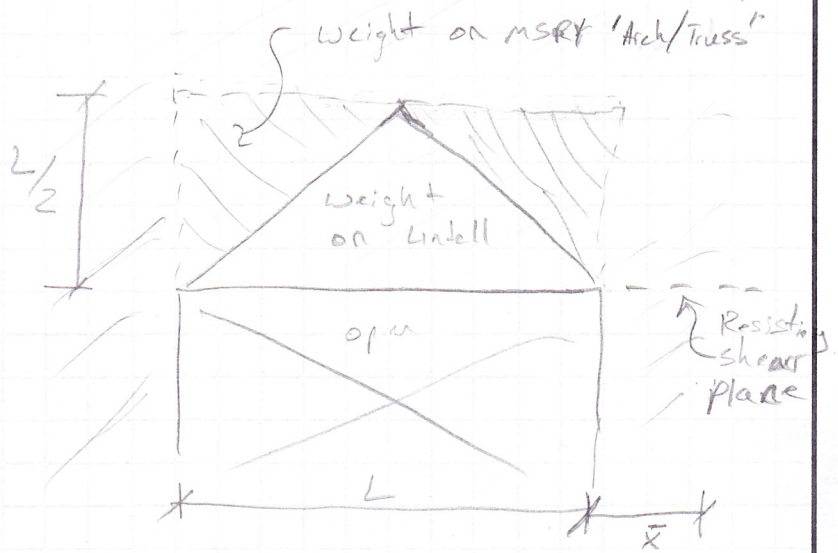


Thrust

$$H = \frac{3WL}{8d}$$

W = Total Load (in Pounds)
 on the Arch
 L = span length
 d = depth of arch



Resistance to Thrust

$$H_R = f_v n \bar{x} t$$

f_v = Allowable shear stress
 n = # of shear planes
 \bar{x} = effective wall thickness
 (fully grouted or face shell)

- Dead & Live loads
 should be added to
 weight on Arch
 γ = masonry wt pcf

- use 45° deg "Arch" (In design use 60° for point load above
 & Arch height/depth = 30°)

$$W = \gamma \frac{L}{2} \times L \times \frac{1}{2} = \frac{\gamma L^2}{4}$$

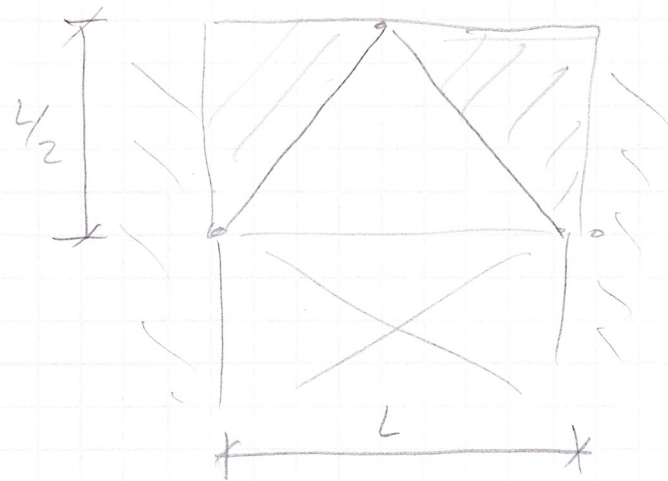
$$H = \frac{3\gamma L^3}{32d} \Rightarrow \left(d = \frac{L}{2}\right) \Rightarrow \frac{6\gamma L^2}{32} = \frac{3\gamma L^2}{16}$$

$$\frac{3\gamma L^2}{16} = f_v n \bar{x} t \quad \text{say } n = 1$$

$$\frac{3\gamma L^2}{16 f_v n t} = \bar{x} \quad \text{Compare to previous approx, ...}$$

$$\text{say } t = 2 \times t_f \Rightarrow \frac{3\gamma L^2}{32 f_v t_f}$$

$n = 1$ ↑ Face shell



Reaction @ Base of Arch/Truss

Truss analogy $\Rightarrow T = C = \frac{M}{d}$

$$M = \frac{PL}{4} = \frac{L^3 \gamma}{16}$$

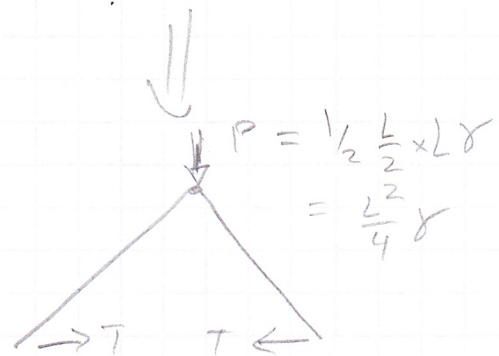
$$T = C = \frac{L^3 \gamma}{16} \times \frac{1}{L/2} \Rightarrow \frac{L^2 \gamma}{8}$$

$$f_v = \frac{T}{\bar{x} \times t_{eff}} \Rightarrow \bar{x} = \frac{T}{f_v t_{eff}}$$

$$\bar{x} = \frac{L^2 \gamma}{8 f_v t_{eff}} = \frac{L^2 \gamma}{16 f_v t_f}$$

$$t_{eff} = 2 t_f$$

↑ Face shell thickness



$$\frac{1}{16} \text{ compare to } \frac{3}{32}$$

0.0625 0.09375

33% error