

$$L_1 := 0\text{m}$$

$$L_2 := 5\text{m}$$

$$L_3 := 2\text{m}$$

$$\text{int}_{\max} := \frac{\max(L_1, L_2, L_3)}{30}$$

 Continuous Top Flange Bracing

 Continuous Bottom Flange Bracing

 Include Beam Self Weight

$$w_1 := \begin{pmatrix} 0.9 & 0.2 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix} \cdot \frac{\text{kN}}{\text{m}} \quad x_{w1} := \begin{pmatrix} 0 \\ 0 \\ 0 \\ 0 \end{pmatrix} \cdot \text{m} \quad w_2 := \begin{pmatrix} 0.9 & 0.2 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix} \cdot \frac{\text{kN}}{\text{m}} \quad x_{w2} := \begin{pmatrix} L_2 + L_3 \\ 0 \\ 0 \\ 0 \end{pmatrix} \quad P := \begin{pmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix} \cdot \text{kN} \quad x_P := \begin{pmatrix} 10 \\ 0 \\ 0 \\ 0 \end{pmatrix} \cdot \text{m}$$

$$LC_1 := \begin{pmatrix} 1.4 & 0 & 0 & 0 \\ 1.25 & 0 & 0 & 0 \\ 1.25 & 1.5 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix} \quad LC_2 := \begin{pmatrix} 1.4 & 0 & 0 & 0 \\ 1.25 & 1.5 & 0 & 0 \\ 1.25 & 0 & 0 & 0 \\ 1 & 1 & 0 & 0 \end{pmatrix} \quad LC_3 := \begin{pmatrix} 1.4 & 0 & 0 & 0 \\ 1.25 & 0 & 0 & 0 \\ 1.25 & 1.5 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix} \quad \left[\frac{L}{\Delta} \right] := \begin{pmatrix} 0 \\ 0 \\ 0 \\ 0 \end{pmatrix} \quad x_b := \begin{pmatrix} 1 \\ 3 \\ 0 \\ 0 \end{pmatrix} \cdot \text{m} \quad r_b := \begin{pmatrix} 1 & 0 \\ 0 & 1 \\ 0 & 0 \\ 0 & 0 \end{pmatrix}$$

Interval has to be small enough to be considered fully braced.

ORIGIN := 1

$$S_1 := \frac{L_1}{m} \quad S_2 := \frac{L_1 + L_2}{m}$$

$$E := 200\text{GPa} \quad I := 1000000\text{mm}^4$$

$$w(x, w_1, w_2, x_1, x_2) := \begin{cases} s_1 \leftarrow x_1 \\ s_2 \leftarrow x_2 - x_1 \\ 0 & \text{if } x < s_1 \\ 0 & \text{if } x > s_2 + s_1 \\ w_1 + \frac{x - s_1}{s_2} \cdot (w_2 - w_1) & \text{otherwise} \end{cases}$$

$$q(x) := \left(\sum_{i=1}^{\text{rows}(w_1)} w(x, w_{1,i,1} + w_{1,i,2} + w_{1,i,3} + w_{1,i,4}, w_{2,i,1} + w_{2,i,2} + w_{2,i,3} + w_{2,i,4}, x_{w1,i}, x_{w2,i}) \right)$$

Nodes_p :=

$$\text{zero} \leftarrow r_b^{(1)} - r_b^{(1)}$$

$$x_1 \leftarrow \text{augment} \left(\frac{x_b}{\text{SIUnitsOf}(x_b)}, \text{zero}, r_b, \text{zero}, \text{zero}, \text{zero}, \text{zero} \right)$$

$$x_2 \leftarrow \text{augment} \left[\begin{array}{c} \left(\begin{array}{c} 0 \\ L_1 \\ L_1 + L_2 \\ L_1 + L_2 + L_3 \end{array} \right) \\ \frac{1}{\text{SIUnitsOf}(L_1)} \end{array} \right], \left(\begin{array}{cccccccc} 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 & 0 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \end{array} \right)$$

$$\text{zero} \leftarrow \frac{x_p^{(1)} - x_p^{(1)}}{\text{SIUnitsOf}(x_p)}$$

$$x_3 \leftarrow \text{augment} \left(\frac{x_p}{\text{SIUnitsOf}(x_p)}, \text{zero}, \text{zero}, \text{zero}, \frac{P^{(1)}}{\text{SIUnitsOf}(P)}, \frac{P^{(2)}}{\text{SIUnitsOf}(P)}, \frac{P^{(3)}}{\text{SIUnitsOf}(P)}, \frac{P^{(4)}}{\text{SIUnitsOf}(P)} \right)$$

$$x_4 \leftarrow \text{csort}(\text{stack}(x_1, x_2, x_3), 1)$$

$$x_5 \leftarrow (x_4^T)^{(1)T}$$

$$j \leftarrow 1$$

for $i \in 2 \dots \text{rows}(x_4)$

$$\text{if } x_{4,1,2} = 1 \vee x_{4,1,3} = 1 \vee x_{4,1,4} = 1 \vee x_{4,1,1} = 0 \vee x_{4,1,1} = \frac{L_1 + L_2 + L_3}{\text{SIUnitsOf}(L_1)} \vee x_{4,1,5} \neq 0 \vee x_{4,1,6} \neq 0 \vee x_{4,1,7} \neq 0 \vee x_{4,1,8}$$

$$j \leftarrow j + 1 \text{ if } x_{4,i,1} > x_{5,j,1}$$

$$x_{5,j,1} \leftarrow x_{4,i,1}$$

$$x_{5,j,2} \leftarrow \min(x_{5,j,2} + x_{4,i,2}, 1)$$

$$x_{5,j,3} \leftarrow \min(x_{5,j,3} + x_{4,i,3}, 1)$$

$$x_{5,j,4} \leftarrow \min(x_{5,j,4} + x_{4,i,4}, 1)$$

$$x_{5,j,5} \leftarrow x_{5,j,5} + x_{4,i,5}$$

$$x_{5,j,6} \leftarrow x_{5,j,6} + x_{4,i,6}$$

$$x_{5,j,7} \leftarrow x_{5,j,7} + x_{4,i,7}$$

$$x_{5,j,8} \leftarrow x_{5,j,8} + x_{4,i,8}$$

x_5

```

NodesS := R ← (NodespT)<1>T
for i ∈ 1 .. rows(Nodesp) - 1
  x1 ← Nodespi,1
  x2 ← Nodespi+1,1
  nint ← ceil( (x2 - x1) / (intmax / SIUnitsOf(intmax)) )
  if nint > 1
    int ← (x2 - x1) / nint
    for n ∈ 1, 2 .. nint - 1
      R ← stack[R, (x1 + n·int 0 0 0 0 0 0)]
  R ← stack[R, (NodespT)<i+1>T]
R
    
```

```

(btop bbot) := j ← 1
k ← 1
for i ∈ 1 .. rows(Nodesp)
  if Nodespi,3 = 1
    btj,1 ← Nodespi,1
    btj,2 ← 1
    j ← j + 1
  if Nodespi,4 = 1
    bbk,1 ← Nodespi,1
    bbk,2 ← -1
    k ← k + 1
(bt bb)
    
```

$$\begin{aligned}
 FEA_{mr}(s_1, s_2, s_3, w_1, w_2) := & \frac{-1}{60} \cdot w_2 \cdot s_2 \cdot \frac{3 \cdot s_2^3 + 15 \cdot s_2^2 \cdot s_3 + 10 \cdot s_1^2 \cdot s_2 + 30 \cdot s_1^2 \cdot s_3 + 10 \cdot s_2^2 \cdot s_1 + 40 \cdot s_2 \cdot s_1 \cdot s_3}{(s_1 + s_2 + s_3)^2} \dots \\
 & + \frac{-1}{60} \cdot w_1 \cdot s_2 \cdot \frac{2 \cdot s_2^3 + 5 \cdot s_2^2 \cdot s_3 + 20 \cdot s_1^2 \cdot s_2 + 30 \cdot s_1^2 \cdot s_3 + 10 \cdot s_2^2 \cdot s_1 + 20 \cdot s_2 \cdot s_1 \cdot s_3}{(s_1 + s_2 + s_3)^2}
 \end{aligned}$$

$$\text{FEA}_{\text{ml}}(s_1, s_2, s_3, w_1, w_2) := \frac{1}{60} \cdot w_1 \cdot s_2 \cdot \frac{3 \cdot s_2^3 + 15 \cdot s_2^2 \cdot s_1 + 10 \cdot s_3^2 \cdot s_2 + 30 \cdot s_3^2 \cdot s_1 + 10 \cdot s_2^2 \cdot s_3 + 40 \cdot s_2 \cdot s_3 \cdot s_1}{(s_3 + s_2 + s_1)^2} \dots$$

$$+ \frac{1}{60} \cdot w_2 \cdot s_2 \cdot \frac{2 \cdot s_2^3 + 5 \cdot s_2^2 \cdot s_1 + 20 \cdot s_3^2 \cdot s_2 + 30 \cdot s_3^2 \cdot s_1 + 10 \cdot s_2^2 \cdot s_3 + 20 \cdot s_2 \cdot s_3 \cdot s_1}{(s_3 + s_2 + s_1)^2}$$

$$\text{FEA}_{\text{vr}}(s_1, s_2, s_3, w_1, w_2) := \frac{1}{20} \cdot w_1 \cdot s_2 \cdot \frac{3 \cdot s_2^3 + 5 \cdot s_2^2 \cdot s_3 + 10 \cdot s_1^3 + 30 \cdot s_1^2 \cdot s_2 + 30 \cdot s_1^2 \cdot s_3 + 15 \cdot s_2^2 \cdot s_1 + 20 \cdot s_1 \cdot s_2 \cdot s_3}{(s_1 + s_2 + s_3)^3} \dots$$

$$+ \frac{1}{20} \cdot w_2 \cdot s_2 \cdot \frac{7 \cdot s_2^3 + 15 \cdot s_2^2 \cdot s_3 + 10 \cdot s_1^3 + 30 \cdot s_1^2 \cdot s_2 + 30 \cdot s_1^2 \cdot s_3 + 25 \cdot s_2^2 \cdot s_1 + 40 \cdot s_1 \cdot s_2 \cdot s_3}{(s_1 + s_2 + s_3)^3}$$

$$\text{FEA}_{\text{vl}}(s_1, s_2, s_3, w_1, w_2) := \frac{1}{20} \cdot w_2 \cdot s_2 \cdot \frac{3 \cdot s_2^3 + 5 \cdot s_2^2 \cdot s_1 + 10 \cdot s_3^3 + 30 \cdot s_3^2 \cdot s_2 + 30 \cdot s_3^2 \cdot s_1 + 15 \cdot s_2^2 \cdot s_3 + 20 \cdot s_3 \cdot s_2 \cdot s_1}{(s_3 + s_2 + s_1)^3} \dots$$

$$+ \frac{1}{20} \cdot w_1 \cdot s_2 \cdot \frac{7 \cdot s_2^3 + 15 \cdot s_2^2 \cdot s_1 + 10 \cdot s_3^3 + 30 \cdot s_3^2 \cdot s_2 + 30 \cdot s_3^2 \cdot s_1 + 25 \cdot s_2^2 \cdot s_3 + 40 \cdot s_3 \cdot s_2 \cdot s_1}{(s_3 + s_2 + s_1)^3}$$

```
FEA(LC, split) :=
  RLrows(NodesS).2,3 ← 0
  RRrows(NodesS).2,3 ← 0
  for i ∈ 1..rows(NodesS) - 1
    xi ← NodesSi,1
    xj ← NodesSi+1,1
    m ← 1 if xi ≤  $\frac{L_1}{\text{SIUnitsOf}(L_1)}$ 
    m ← 2 if  $\frac{L_1}{\text{SIUnitsOf}(L_1)} < x_i \leq \frac{L_1 + L_2}{\text{SIUnitsOf}(L_1 + L_2)}$ 
    m ← 3 if xi >  $\frac{L_1 + L_2}{\text{SIUnitsOf}(L_1 + L_2)}$ 
    n ← 1 if xi <  $\frac{L_1}{\text{SIUnitsOf}(L_1)}$ 
    n ← 2 if  $\frac{L_1}{\text{SIUnitsOf}(L_1)} \leq x_i < \frac{L_1 + L_2}{\text{SIUnitsOf}(L_1 + L_2)}$ 
    n ← 3 if xi ≥  $\frac{L_1 + L_2}{\text{SIUnitsOf}(L_1 + L_2)}$ 
    for j ∈ 1..rows(w1)
```

$$x_{1g} \leftarrow \frac{x_{w1_j}}{\text{SIUnitsOf}(x_{w1_j})}$$

$$x_{2g} \leftarrow \frac{x_{w2_j}}{\text{SIUnitsOf}(x_{w2_j})}$$

$$w_{1g} \leftarrow \frac{w_{1_j,LC}}{\text{SIUnitsOf}(w_{1_j,LC})}$$

$$w_{2g} \leftarrow \frac{w_{2_j,LC}}{\text{SIUnitsOf}(w_{2_j,LC})}$$

if $\max(x_{1g}, x_{2g}) > x_i \wedge \min(x_{1g}, x_{2g}) < x_j$

 if $x_{1g} < x_i$

$s_1 \leftarrow 0$

$w_a \leftarrow w(x_{1g}, w_{1g}, w_{2g}, x_{1g}, x_{2g})$

 otherwise

$s_1 \leftarrow x_{1g} - x_i$

$w_a \leftarrow w(x_{1g}, w_{1g}, w_{2g}, x_{1g}, x_{2g})$

 if $x_j < x_{2g}$

$s_2 \leftarrow x_j - x_i$

$w_b \leftarrow w(x_j, w_{1g}, w_{2g}, x_{1g}, x_{2g})$

 otherwise

$s_2 \leftarrow x_{2g} - x_i$

$w_b \leftarrow w(x_{2g}, w_{1g}, w_{2g}, x_{1g}, x_{2g})$

$s_3 \leftarrow |x_j - x_i| - s_1 - s_2$

$R_{R_{2-i-1,m}} \leftarrow R_{R_{2-i-1,m}} + -FEA_{vl}(s_1, s_2, s_3, w_a, w_b)$

$R_{R_{2-i,m}} \leftarrow R_{R_{2-i,m}} + -FEA_{ml}(s_1, s_2, s_3, w_a, w_b)$

$R_{L_{2-i+1,n}} \leftarrow R_{L_{2-i+1,n}} + -FEA_{vr}(s_1, s_2, s_3, w_a, w_b)$

$R_{L_{2-i+2,n}} \leftarrow R_{L_{2-i+2,n}} + -FEA_{mr}(s_1, s_2, s_3, w_a, w_b)$

$(R_L^{(1)} + R_L^{(2)} + R_L^{(3)} \quad R_R^{(1)} + R_R^{(2)} + R_R^{(3)})$ if split = 0

$(R_L^{(1)} \quad R_L^{(2)} \quad R_L^{(3)} \quad R_R^{(1)} \quad R_R^{(2)} \quad R_R^{(3)})$ otherwise

```

Assemble(M, OverWrite) :=
  for i ∈ 1 .. rows(M)
    m ← Mi,1
    for j ∈ Mi,2 .. Mi,2 + rows(m) - 1
      for k ∈ Mi,3 .. Mi,3 + cols(m) - 1
        Outputj,k ← 0
  for i ∈ 1 .. rows(M)
    m ← Mi,1
    for j ∈ Mi,2 .. Mi,2 + rows(m) - 1
      for k ∈ Mi,3 .. Mi,3 + cols(m) - 1
        Outputj,k ← mj-Mi,2+1, k-Mi,3+1 if OverWrite = 1
        Outputj,k ← mj-Mi,2+1, k-Mi,3+1 + Outputj,k otherwise
  Output
    
```

$$k(L) := \frac{\frac{E}{\text{SIUnitsOf}(E)} \cdot \frac{I}{\text{SIUnitsOf}(I)}}{L^3} \cdot \begin{pmatrix} 12 & 6 \cdot L & -12 & 6 \cdot L \\ 6 \cdot L & 4L^2 & -6L & 2 \cdot L^2 \\ -12 & -6L & 12 & -6 \cdot L \\ 6 \cdot L & 2 \cdot L^2 & -6 \cdot L & 4 \cdot L^2 \end{pmatrix}$$

```

K :=
  Krows(NodesS), rows(NodesS) ← 0
  n ← NodesS
  for i ∈ 1 .. rows(n) - 1
    L ← ni+1,1 - ni,1
    ki ← k(L)
    K ← Assemble  $\left[ \begin{pmatrix} K & 1 & 1 \\ k_i & i \cdot 2 - 1 & i \cdot 2 - 1 \end{pmatrix}, 0 \right]$ 
  K
    
```

```

BC(K, Vector) :=
  Skipi ← 0
  k ← 2 if L2 = 0
  k ← 1 otherwise
  i ← 1
  while i ≤ rows(K)
    Node ← floor( $\frac{i-1}{2}$ ) + 1
    DOF ← i - (Node - 1)2
    if NodesNode,2 ≠ 1 ∨ DOF = 2
      Skipj ← 0
      j ← 1
      while j ≤ cols(K)
        Node ← floor( $\frac{j-1}{2}$ ) + 1
        DOF ← j - (Node - 1)2
        if NodesNode,2 ≠ 1 ∨ DOF = 2 ∨ Vector = 1
          KBCi-Skipi,j-Skipj ← Ki,j
          Mapi-Skipi,j-Skipj ← i if Vector = 1
          Mapi-Skipi,j-Skipj ← concat(num2str(i), "-", num2str(j)) otherwise
          j ← j + 1
        otherwise
          Skipj ← Skipj + k
          j ← j + k
      i ← i + 1
    otherwise
      Skipi ← Skipi + k
      i ← i + k
  (KBC)
  (Map)

```

```

Fnode(LC, span) :=
  Pin ← -Nodes⟨LC+4⟩
  Pout1,3 ← 0
  for i ∈ 1 .. rows(Pin)
    x ← Nodesi,1
    j ← 1 if x <  $\frac{L_1}{\text{SIUnitsOf}(L_1)}$ 
    j ← 2 if  $\frac{L_1}{\text{SIUnitsOf}(L_1)} \leq x \leq \frac{L_1 + L_2}{\text{SIUnitsOf}(L_1)}$ 
    j ← 3 if x >  $\frac{L_1 + L_2}{\text{SIUnitsOf}(L_1)}$ 
    Pouti-2-1,j ← Pini
    Pouti-2,j ← 0
  Pout ← Pout⟨1⟩ + Pout⟨2⟩ + Pout⟨3⟩ if span = 0
  otherwise
    Pout⟨1⟩ if span = 1
    Pout⟨2⟩ if span = 2
    Pout⟨3⟩ if span = 3

```

$F(\text{FEA}_L, \text{FEA}_R, F_N) := F_N + \text{FEA}_L + \text{FEA}_R$

$\left[K_{BC}^{-1} \right] := \begin{cases} K_{BC} \leftarrow \text{BC}(K, 0)_1 \\ K_{BC}^{-1} \end{cases}$

$d(\text{FEA}_L, \text{FEA}_R, F_N) := \begin{cases} d_{\text{rows}(\text{Nodes}_S) \cdot 2} \leftarrow 0 \\ R \leftarrow \text{BC}(F(\text{FEA}_L, \text{FEA}_R, F_N), 1) \\ d_{BC} \leftarrow \left[K_{BC}^{-1} \right] \cdot R_1 \\ \text{Map} \leftarrow R_2 \\ \text{for } i \in 1 .. \text{rows}(\text{Map}) \\ d_{\text{Map}_i} \leftarrow d_{BC_i} \\ d \end{cases}$

$\Delta(\text{FEA}_L, \text{FEA}_R, F_N) :=$ $d \leftarrow d(\text{FEA}_L, \text{FEA}_R, F_N)$
 for $i \in 1, 3 \dots \text{rows}(d)$
 $R_{\text{rows}(R)+1} \leftarrow d_i$
 R

$\text{VM}\Delta(\text{FEA}_L, \text{FEA}_R, F_N) :=$ $E \leftarrow \frac{E}{\text{SIUnitsOf}(E)}$
 $I \leftarrow \frac{I}{\text{SIUnitsOf}(I)}$
 $n \leftarrow \text{Nodes}_s$
 $L \leftarrow n_{2,1} - n_{1,1}$
 $d_g \leftarrow d(\text{FEA}_L, \text{FEA}_R, F_N)$
 for $i \in 1, 3 \dots \text{rows}(d_g) - 1$
 $\Delta_{\text{ceil}\left(\frac{i}{2}\right)} \leftarrow d_{g_i}$
 $d_i \leftarrow \text{submatrix}(d_g, 1, 4, 1, 1)$
 $V_1 \leftarrow \frac{E \cdot I}{L^3} \cdot d_i \cdot \begin{pmatrix} 12 \\ 6L \\ -12 \\ 6L \end{pmatrix} - \text{FEA}_{R_1}$
 $M_1 \leftarrow \frac{-E \cdot I}{L^3} \cdot d_i \cdot \begin{pmatrix} 6 \cdot L \\ 4L^2 \\ -6L \\ 2 \cdot L^2 \end{pmatrix} + \text{FEA}_{R_2}$
 $L \leftarrow n_{\text{rows}(n), 1} - n_{\text{rows}(n)-1, 1}$
 $d_i \leftarrow \text{submatrix}(d_g, \text{rows}(n) \cdot 2 - 3, \text{rows}(n) \cdot 2, 1, 1)$
 $V_{\text{rows}(n)} \leftarrow \frac{E \cdot I}{L^3} \cdot d_i \cdot \begin{pmatrix} 12 \\ 6L \\ -12 \\ 6L \end{pmatrix} + \text{FEA}_{L_{\text{rows}(\text{FEA}_L)-1}}$
 $M_{\text{rows}(n)} \leftarrow \frac{E \cdot I}{L^3} \cdot d_i \cdot \begin{pmatrix} 6 \cdot L \\ 2L^2 \\ -6L \\ 4 \cdot L^2 \end{pmatrix} - \text{FEA}_{L_{\text{rows}(\text{FEA}_L)}}$
 for $i \in 2 \dots \text{rows}(n) - 1$
 $L_1 \leftarrow n_{i,1} - n_{i-1,1}$
 $L_2 \leftarrow n_{i+1,1} - n_{i,1}$
 $d_{i+1} \leftarrow \text{submatrix}(d_g, i \cdot 2 - 3, i \cdot 2 - 3 + 3, 1, 1)$

$$d_{i2} \leftarrow \text{submatrix}(d_g, i \cdot 2 - 1, i \cdot 2 - 1 + 3, 1, 1)$$

$$V_1 \leftarrow \frac{E \cdot I}{L_1^3} \cdot d_{i1} \cdot \begin{pmatrix} 12 \\ 6L_1 \\ -12 \\ 6L_1 \end{pmatrix} + \text{FEA}_{L_{2:i-1}}$$

$$V_2 \leftarrow \frac{E \cdot I}{L_2^3} \cdot d_{i2} \cdot \begin{pmatrix} 12 \\ 6L_2 \\ -12 \\ 6L_2 \end{pmatrix} - \text{FEA}_{R_{2:i-1}}$$

$$V_i \leftarrow V_1 \text{ if } |V_1| > |V_2|$$

$$V_i \leftarrow V_2 \text{ otherwise}$$

$$M_i \leftarrow \frac{-E \cdot I}{L_2^3} \cdot d_{i2} \cdot \begin{pmatrix} 6 \cdot L_2 \\ 4L_2^2 \\ -6L_2 \\ 2 \cdot L_2^2 \end{pmatrix} - \text{FEA}_{L_{2:i}}$$

(round(V) round(M) Δ)

$$\kappa(M_1, M_2) := \begin{cases} M_{\text{large}} \leftarrow \max(|M_1|, |M_2|) \\ M_{\text{small}} \leftarrow \min(|M_1|, |M_2|) \\ \kappa \leftarrow 1 \text{ if } M_1 = 0 \wedge M_2 = 0 \\ \kappa \leftarrow \frac{M_{\text{small}}}{M_{\text{large}}} \cdot \text{sign}(M_1) \cdot \text{sign}(M_2) \cdot -1 \text{ otherwise} \end{cases}$$

$$\omega_2(M_1, M_2, M_3, \text{end}_{\text{br}}) := \begin{cases} M_{\text{end_max}} \leftarrow \max(|M_1|, |M_2|) \\ \omega \leftarrow 1 \text{ if } |M_3| > M_{\text{end_max}} \vee \text{end}_{\text{br}} = 0 \\ \text{otherwise} \\ \begin{cases} \kappa \leftarrow \kappa(M_1, M_2) \\ \omega \leftarrow \min(1.75 + 1.05 \cdot \kappa + 0.3 \cdot \kappa^2, 2.5) \end{cases} \\ \omega \end{cases}$$

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ML $\omega_2$ (Mfield) := (R1,1 R1,2 R1,3) ← (max(|Mfield|) 0 1)
nlb ← 1
lbbr ← 0
for i ∈ 1 .. rows(NodesS)
  (FlangeCL FlangeCR) ← (1 1) if Mfield1 > 0
  (FlangeCL FlangeCR) ← (2 2) if Mfield1 < 0
  if Mfield1 = 0
    (ML MR) ← (0 0)
    k ← i - 1
    while ML = 0 ∧ k ≥ nlb
      ML ← Mfieldk if Mfieldk ≠ 0
      k ← k - 1
    k ← i + 1
    while MR = 0 ∧ k ≤ rows(NodesS)
      MR ← Mfieldk if Mfieldk ≠ 0
      k ← k + 1
    MR ← ML if MR = 0
    ML ← MR if ML = 0
    trace("{0}, {1}, {2}, {3}, {4}, {5}", NodesSi,1, FlangeCL, FlangeCR, Mfield1, ML, MR)
    FlangeCR ← 1 if MR > 0
    FlangeCR ← 2 otherwise
    FlangeCL ← 1 if ML > 0
    FlangeCL ← 2 otherwise
    trace("{0}, {1}, {2}, {3}, {4}, {5}", NodesSi,1, FlangeCL, FlangeCR, Mfield1, ML, MR)
  BracedR ← 1 if [(TFbraced = 1 ∨ NodesSi,3 = 1) ∧ FlangeCR = 1] ∨ [(BFbraced = 1 ∨ NodesSi,4 = 1) ∧ Fla
  BracedR ← 0 otherwise
  BracedL ← 1 if [(TFbraced = 1 ∨ NodesSi,3 = 1) ∧ FlangeCL = 1] ∨ [(BFbraced = 1 ∨ NodesSi,4 = 1) ∧ Fla
  BracedL ← 0 otherwise
  if BracedL = 1 ∨ i = 1 ∨ i = rows(NodesS)
    if i - nlb > 1
      M1 ← Mfieldnlb
      M2 ← Mfieldi
      M3 ← max(|submatrix(Mfield, nlb, i, 1, 1)|)
      if |M3| > 0

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j ← rows(R) + 1
Rj,1 ← M3
Rj,2 ← NodesSi,1 - NodesSnlb,1
endbr ← 1 if BracedL = 1 ∧ lbbr = 1
endbr ← 0 otherwise
Rj,3 ← ω2(M1, M2, M3, endbr)
Rj,4 ← NodesSnlb,1
Rj,5 ← NodesSi,1
nlb ← i
lbbr ← BracedR

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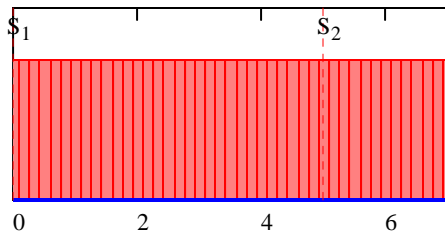
R

Beams := $\left(\begin{array}{l} "108" \ "14" \ "11" \ "29" \ "W 1700 \times 98" \\ "055" \ "55" \ "45" \ "51" \ "W 310 \times 45" \\ "007" \ "88" \ "09" \ "32" \ "W 1700 \times 90" \\ "109" \ "10" \ "10" \ "10" \ "W 310 \times 24" \\ "010" \ "10" \ "10" \ "10" \ "W 310 \times 24" \end{array} \right)$

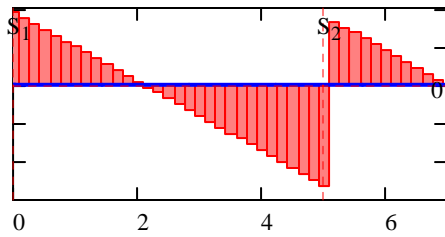
$(\underline{V} \ M \ \Delta_{\text{plot}}) := \left(\begin{array}{l} R \leftarrow VM\Delta(\text{FEA}(1,0)_{1,1}, \text{FEA}(1,0)_{1,2}, F_{\text{node}}(1,0)) \\ V \leftarrow R_{1,1} \\ M \leftarrow R_{1,2} \\ \Delta \leftarrow R_{1,3} \\ (V \ M \ \Delta) \end{array} \right)$

$\Delta_{\text{scale}} := \max(\overrightarrow{|\Delta_{\text{plot}}|})$

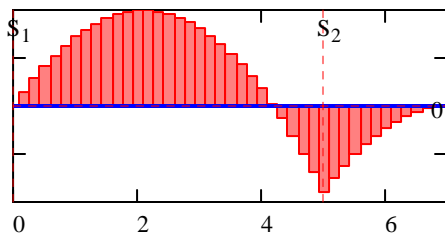
Distributed Loads



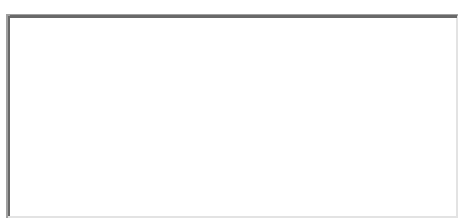
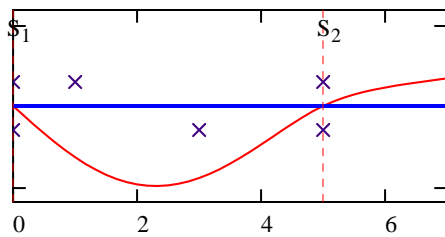
Shear



Moment



Deflection



Fix slow downs in code as a result of duplicating code runs. Initiat all matrices

$$ML\omega_2(M) = \blacksquare$$

$$\left(ML\omega_2(M) \max(|\vec{V}|) \right) = \blacksquare$$

```
Pad(number) :=
  R ← num2str(round(number))
  R ← "999" if strlen(R) > 3
  while strlen(R) < 3
    R ← concat("0", R)
```

$$Pad(45) = "045"$$

M =

	1
1	0.00
2	302.00
3	580.00
4	832.00
5	1060.00
6	1262.00
7	1440.00
8	1592.00
9	1720.00
10	1822.00
11	1900.00
12	1952.00
13	1980.00
14	1982.00
15	1960.00
16	...

V =

	1
1	1890.00
2	1740.00
3	1590.00
4	1440.00
5	1290.00
6	1140.00
7	990.00
8	840.00
9	690.00
10	540.00
11	390.00
12	240.00
13	90.00
14	-60.00
15	-210.00
16	...

$\neq 0$

*

$$n_{ge_{CR}} = 2]$$

$$n_{ge_{CL}} = 2]$$
