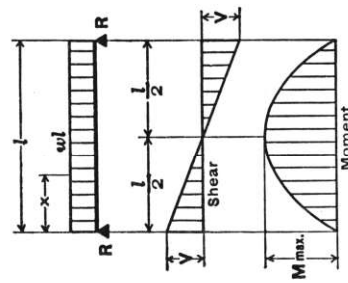
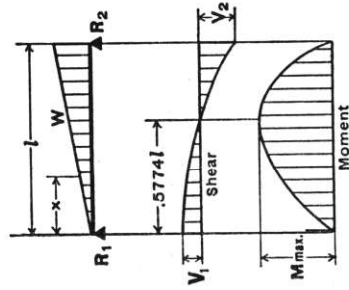


1. SIMPLE BEAM—UNIFORMLY DISTRIBUTED LOAD



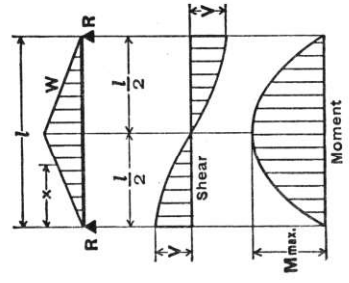
Total Equiv. Uniform Load = wl
 $R = V$ = $\frac{wl}{2}$
 V_x = $w\left(\frac{l}{2} - x\right)$
 M max. (at center) = $\frac{wl^2}{8}$
 M_x = $\frac{wx}{2}(l - x)$
 Δ max. (at center) = $\frac{5wl^4}{384EI}$
 Δ_x = $\frac{wx}{24EI}(l^3 - 2lx^2 + x^3)$

2. SIMPLE BEAM—LOAD INCREASING UNIFORMLY TO ONE END



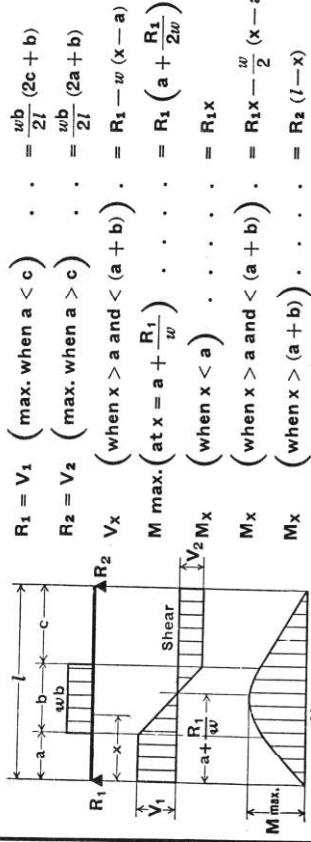
Total Equiv. Uniform Load = $\frac{16W}{9\sqrt{3}}$
 $R_1 = V_1$ = $\frac{W}{3}$
 $R_2 = V_2$ max. = $\frac{2W}{3}$
 V_x = $\frac{W}{3} - \frac{Wx^2}{l^2}$
 M max. (at $x = \frac{l}{\sqrt{3}} = .5774l$) = $\frac{2Wl}{9\sqrt{3}} = .1283 Wl$
 M_x = $\frac{Wx}{3l^2}(l^2 - x^2)$
 Δ max. (at $x = l\sqrt{\frac{8}{15}} = .5193l$) = $\frac{.01304 Wl^3}{EI}$
 Δ_x = $\frac{Wx}{180EI l^2}(3x^4 - 10l^2x^2 + 7l^4)$

3. SIMPLE BEAM—LOAD INCREASING UNIFORMLY TO CENTER



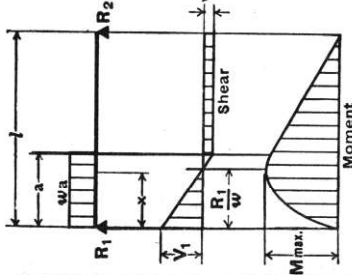
Total Equiv. Uniform Load = $\frac{4W}{3}$
 $R = V$ = $\frac{W}{2}$
 V_x (when $x < \frac{l}{2}$) = $\frac{W}{2l^2}(l^2 - 4x^2)$
 M max. (at center) = $\frac{Wl}{6}$
 M_x (when $x < \frac{l}{2}$) = $Wx\left(\frac{1}{2} - \frac{2x^2}{3l^2}\right)$
 Δ max. (at center) = $\frac{Wl^3}{60EI}$
 Δ_x (when $x < \frac{l}{2}$) = $\frac{Wx}{480EI l^2}(5l^2 - 4x^2)^2$

4. SIMPLE BEAM—UNIFORM LOAD PARTIALLY DISTRIBUTED



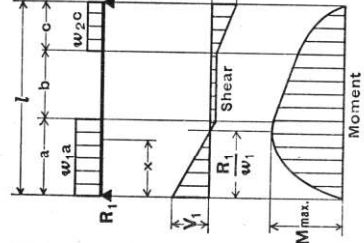
$R_1 = V_1$ (max. when $a < c$) = $\frac{wb}{2l}(2c + b)$
 $R_2 = V_2$ (max. when $a > c$) = $\frac{wb}{2l}(2a + b)$
 V_x (when $x > a$ and $< (a + b)$) = $R_1 - wx$
 M max. (at $x = a + \frac{R_1}{w}$) = $R_1\left(a + \frac{R_1}{2w}\right)$
 M_x (when $x < a$) = R_1x
 M_x (when $x > a$ and $< (a + b)$) = $R_1x - \frac{w}{2}(x - a)^2$
 M_x (when $x > (a + b)$) = $R_2(l - x)$

5. SIMPLE BEAM—UNIFORM LOAD PARTIALLY DISTRIBUTED AT ONE END



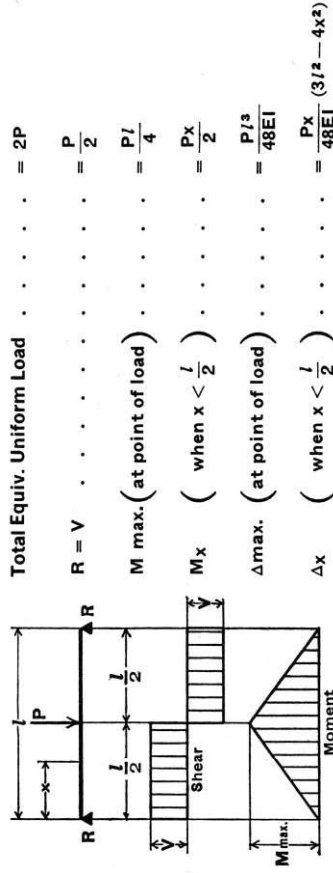
$R_1 = V_1$ max. = $\frac{wa}{2l}(2l - a)$
 $R_2 = V_2$ = $\frac{wa^2}{2l}$
 V_x (when $x < a$) = $R_1 - wx$
 M max. (at $x = \frac{R_1}{w}$) = $\frac{R_1^2}{2w}$
 M_x (when $x < a$) = $R_1x - \frac{wx^2}{2}$
 M_x (when $x > a$) = $R_2(l - x)$
 Δ_x (when $x < a$) = $\frac{wx}{24EI l^2}(a^2(2l - a)^2 - 2ax^2(2l - a) + lx^3)$
 Δ_x (when $x > a$) = $\frac{wa^2(l - x)}{24EI l}(4xl - 2x^2 - a^2)$

6. SIMPLE BEAM—UNIFORM LOAD PARTIALLY DISTRIBUTED AT EACH END

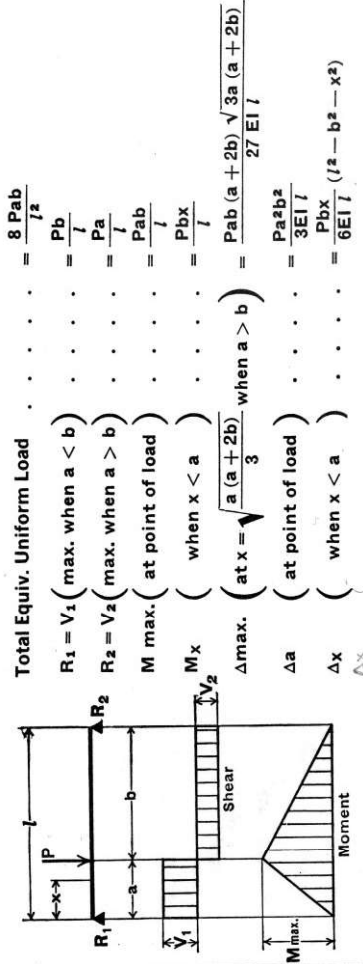


$R_1 = V_1$ = $\frac{w_1a(2l - a) + w_2c^2}{2l}$
 $R_2 = V_2$ = $\frac{w_2c(2l - c) + w_1a^2}{2l}$
 V_x (when $x < a$) = $R_1 - w_1x$
 V_x (when $x > a$ and $< (a + b)$) = $R_1 - w_1a$
 V_x (when $x > (a + b)$) = $R_2 - w_2(l - x)$
 M max. (at $x = \frac{R_1}{w_1}$ when $R_1 < w_1a$) = $\frac{R_1^2}{2w_1}$
 M max. (at $x = l - \frac{R_2}{w_2}$ when $R_2 < w_2c$) = $\frac{R_2^2}{2w_2}$
 M_x (when $x < a$) = $R_1x - \frac{w_1x^2}{2}$
 M_x (when $x > a$ and $< (a + b)$) = $R_1x - \frac{w_1a}{2}(2x - a)$
 M_x (when $x > (a + b)$) = $R_2(l - x) - \frac{w_2(l - x)^2}{2}$

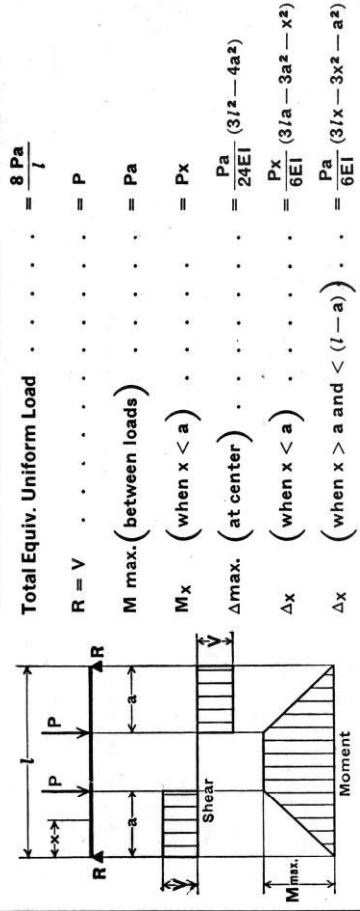
7. SIMPLE BEAM—CONCENTRATED LOAD AT CENTER



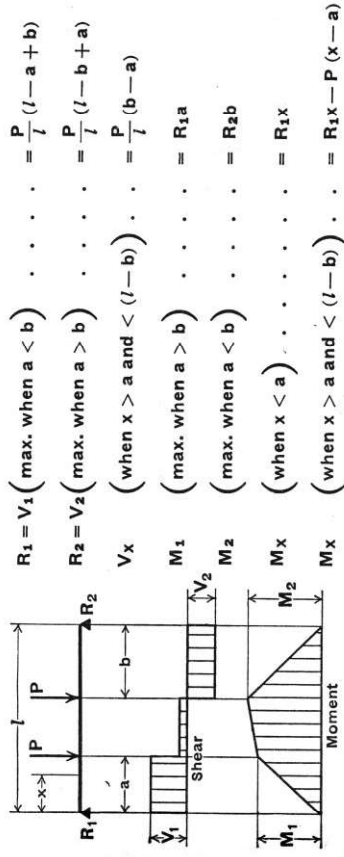
8. SIMPLE BEAM—CONCENTRATED LOAD AT ANY POINT



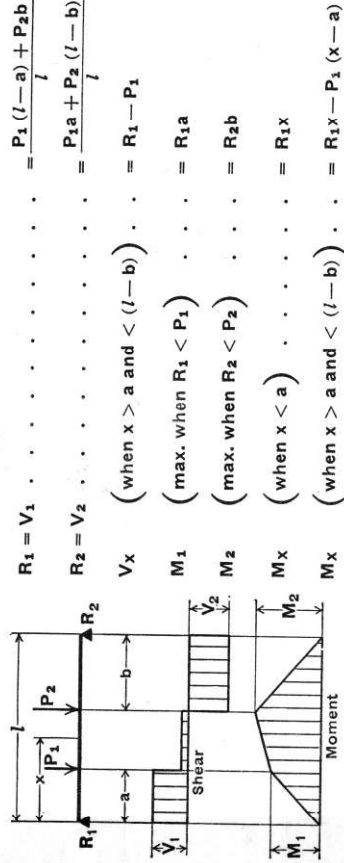
9. SIMPLE BEAM—TWO EQUAL CONCENTRATED LOADS SYMMETRICALLY PLACED



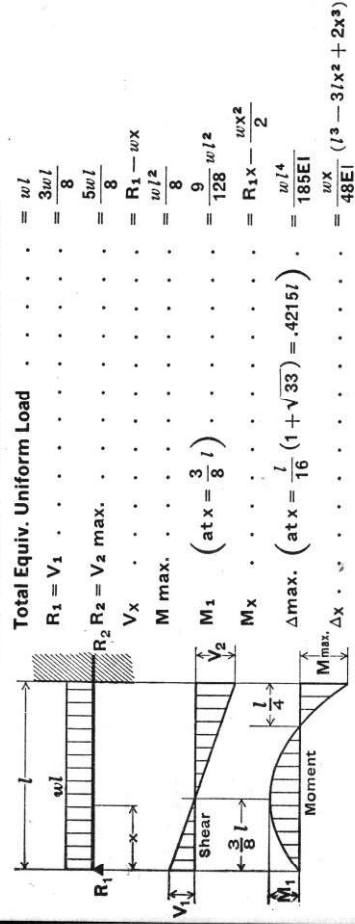
10. SIMPLE BEAM—TWO EQUAL CONCENTRATED LOADS UNSYMMETRICALLY PLACED



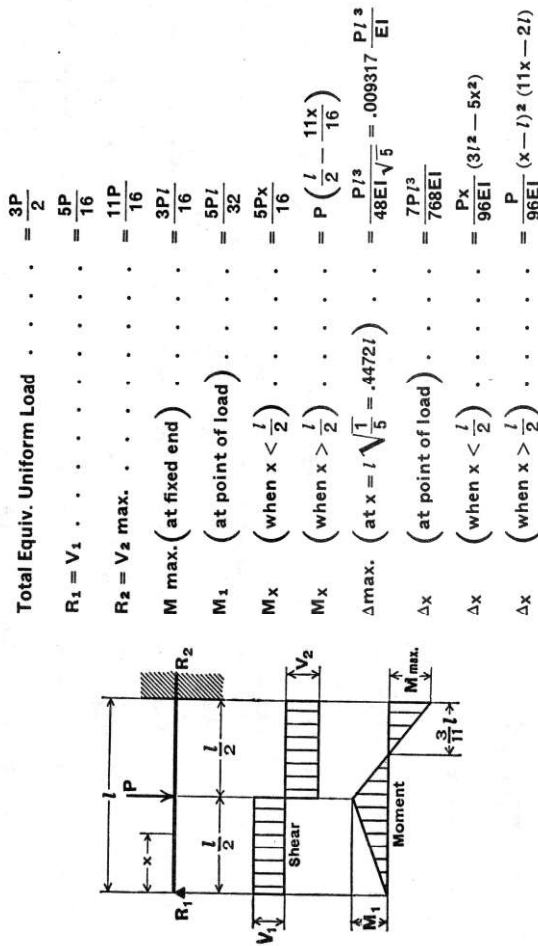
11. SIMPLE BEAM—TWO UNEQUAL CONCENTRATED LOADS UNSYMMETRICALLY PLACED



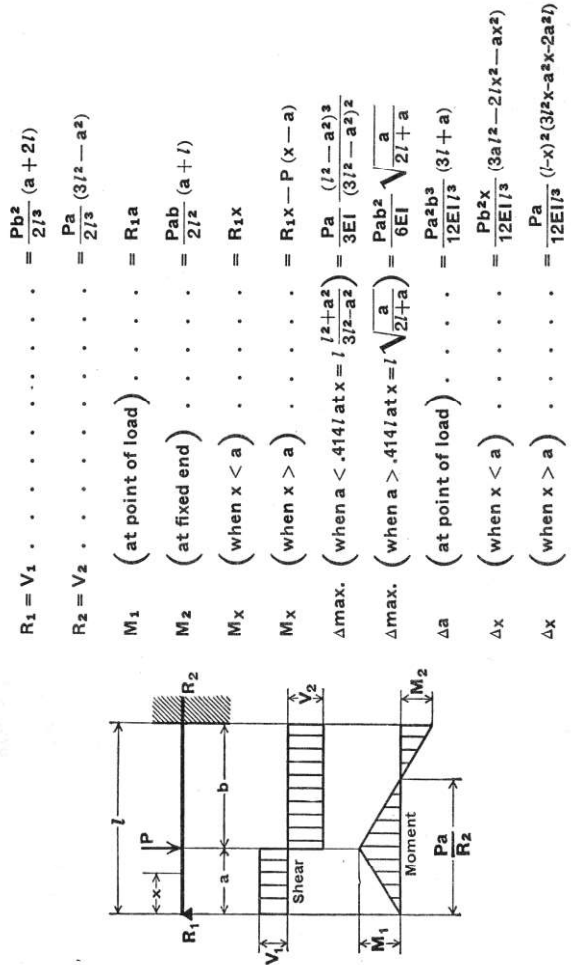
12. BEAM FIXED AT ONE END, SUPPORTED AT OTHER—UNIFORMLY DISTRIBUTED LOAD



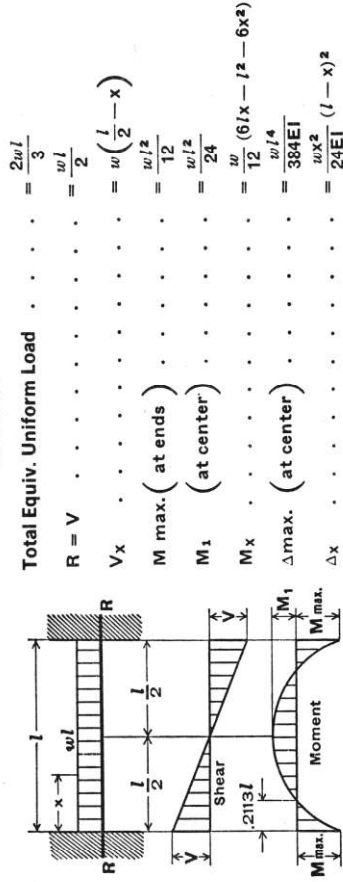
13. BEAM FIXED AT ONE END, SUPPORTED AT OTHER—
CONCENTRATED LOAD AT CENTER



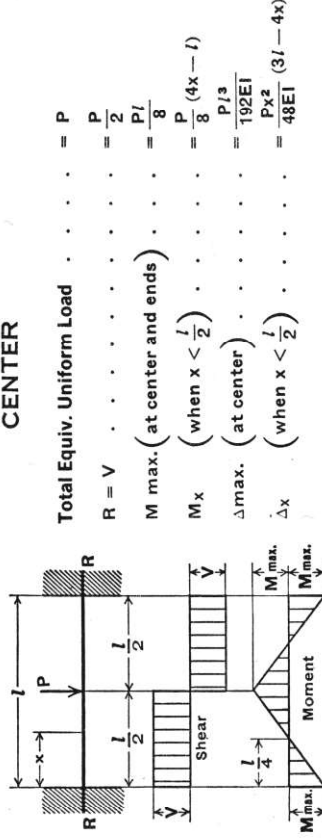
14. BEAM FIXED AT ONE END, SUPPORTED AT OTHER—
CONCENTRATED LOAD AT ANY POINT



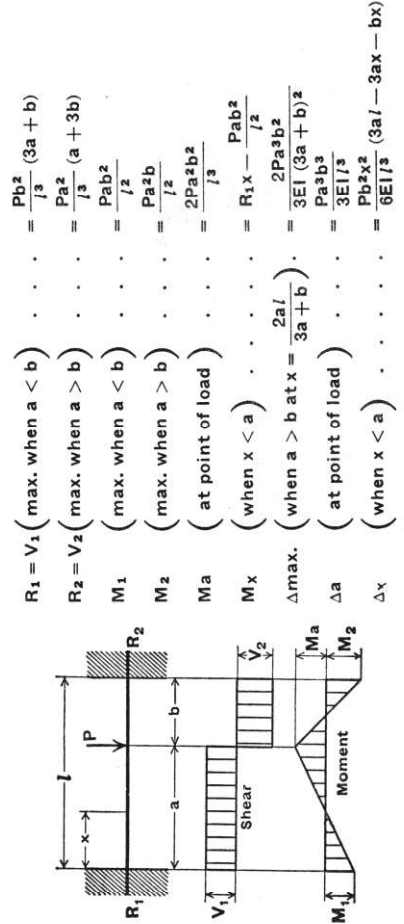
15. BEAM FIXED AT BOTH ENDS—UNIFORMLY DISTRIBUTED
LOADS



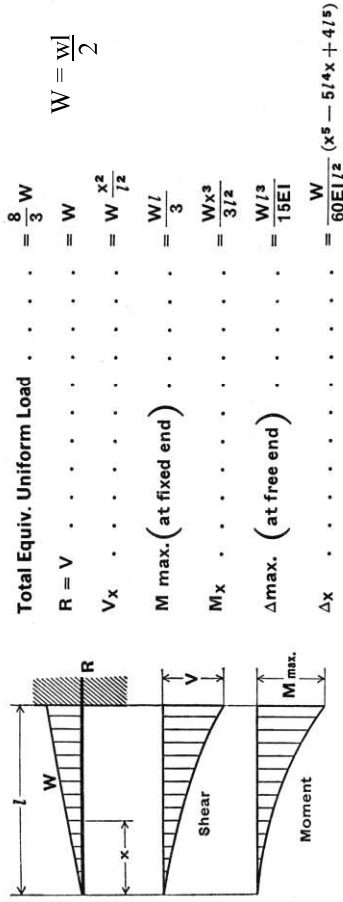
16. BEAM FIXED AT BOTH ENDS—CONCENTRATED LOAD AT
CENTER



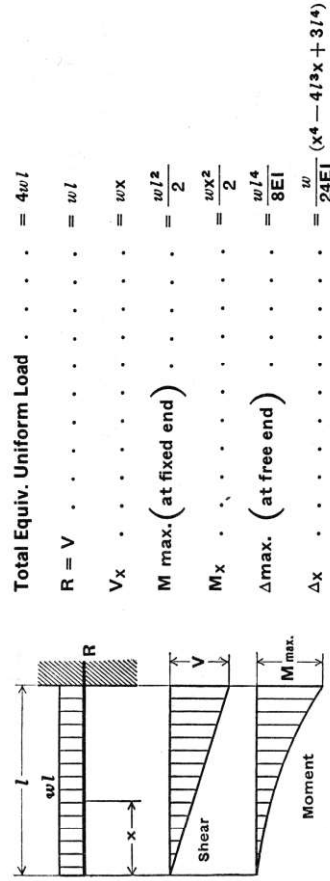
17. BEAM FIXED AT BOTH ENDS—CONCENTRATED LOAD AT
ANY POINT



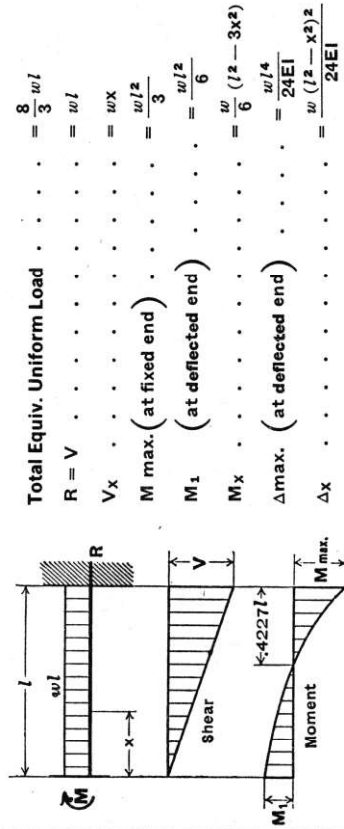
18. CANTILEVER BEAM—LOAD INCREASING UNIFORMLY TO FIXED END



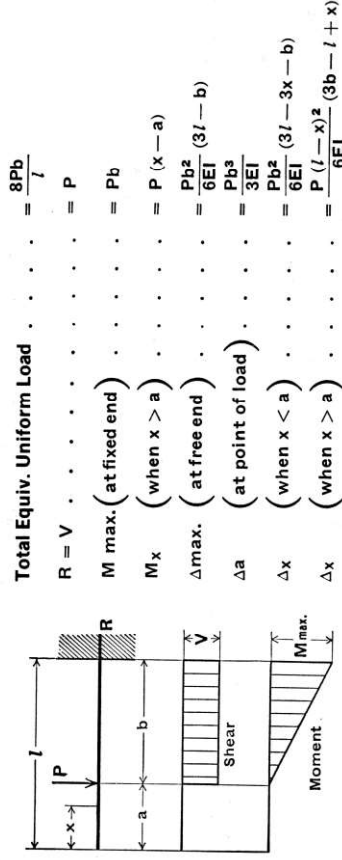
19. CANTILEVER BEAM—UNIFORMLY DISTRIBUTED LOAD



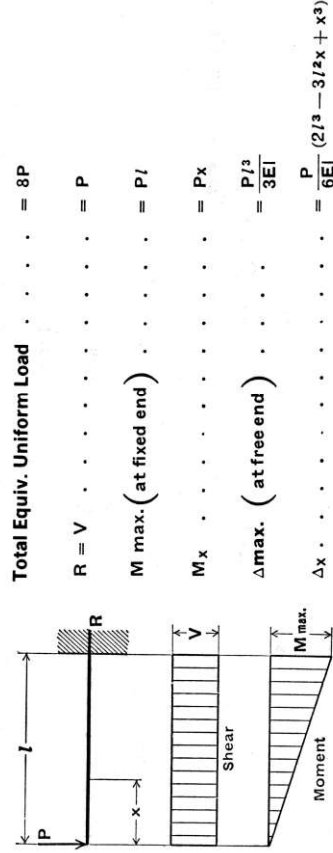
20. BEAM FIXED AT ONE END, FREE TO DEFLECT VERTICALLY BUT NOT ROTATE AT OTHER—UNIFORMLY DISTRIBUTED LOAD



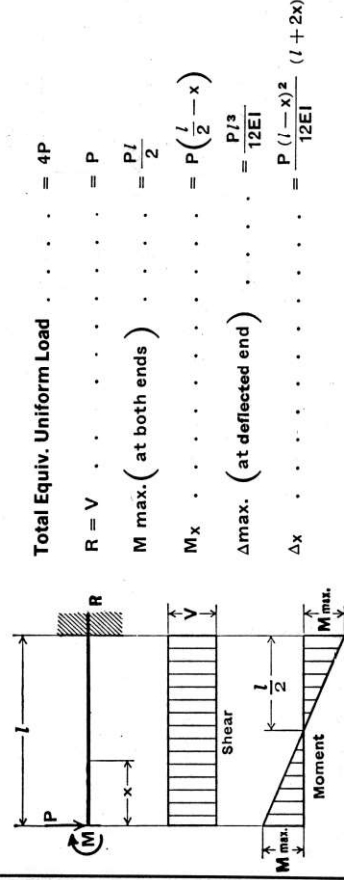
21. CANTILEVER BEAM—CONCENTRATED LOAD AT ANY POINT



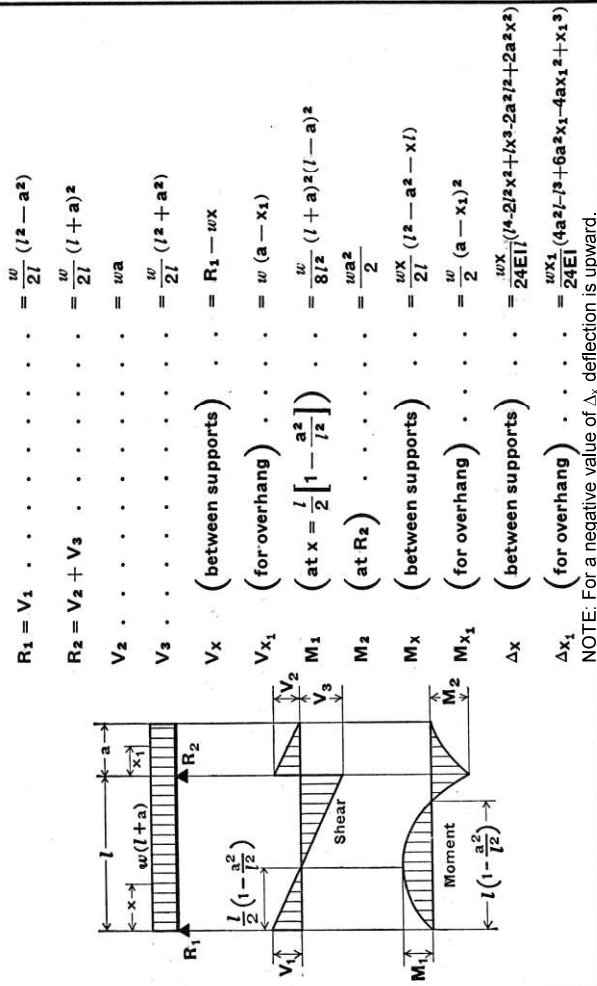
22. CANTILEVER BEAM—CONCENTRATED LOAD AT FREE END



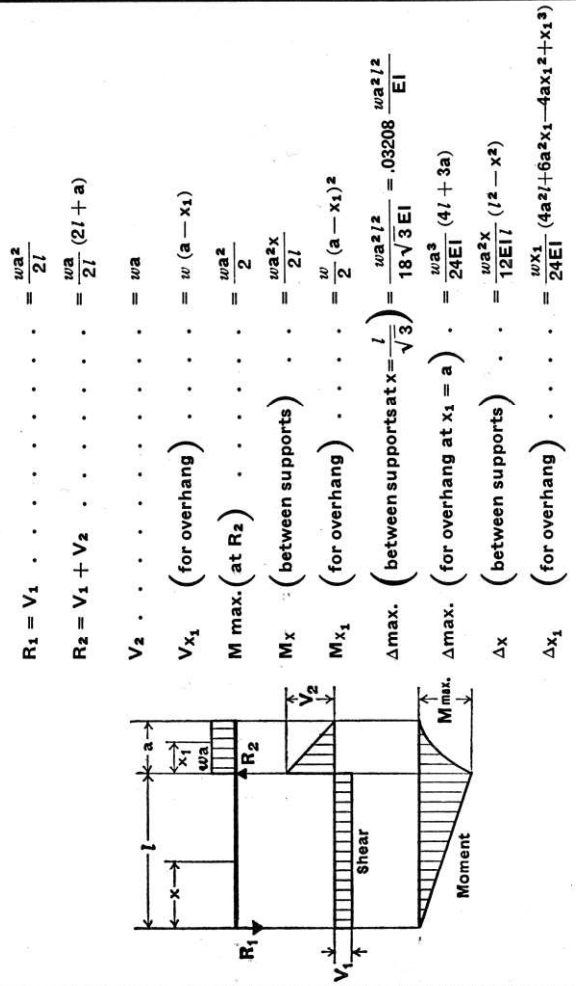
23. BEAM FIXED AT ONE END, FREE TO DEFLECT VERTICALLY BUT NOT ROTATE AT OTHER—CONCENTRATED LOAD AT DEFLECTED END



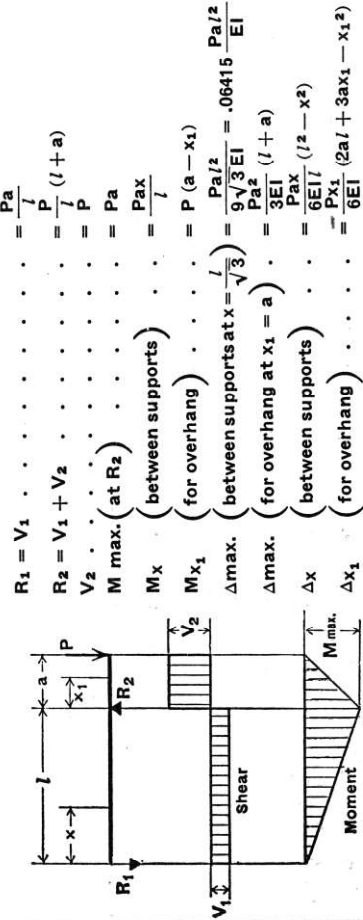
24. BEAM OVERHANGING ONE SUPPORT—UNIFORMLY DISTRIBUTED LOAD



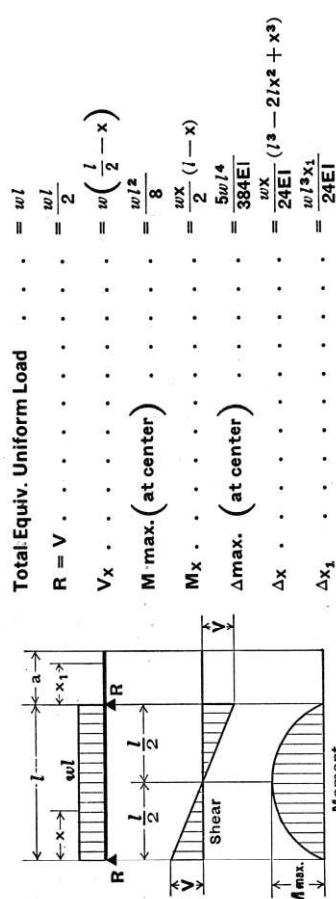
25. BEAM OVERHANGING ONE SUPPORT—UNIFORMLY DISTRIBUTED LOAD ON OVERHANG



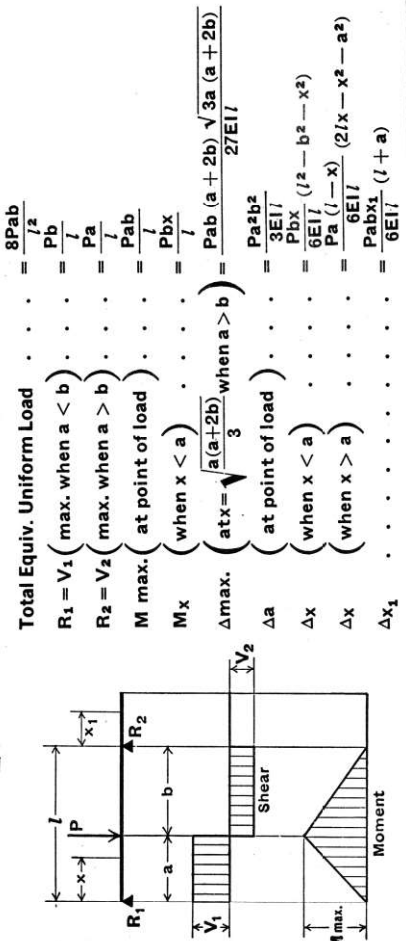
26. BEAM OVERHANGING ONE SUPPORT—CONCENTRATED LOAD AT END OF OVERHANG



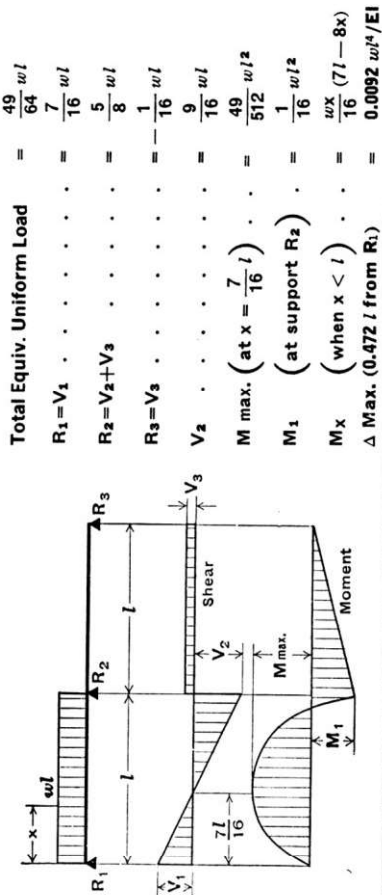
27. BEAM OVERHANGING ONE SUPPORT—UNIFORMLY DISTRIBUTED LOAD BETWEEN SUPPORTS



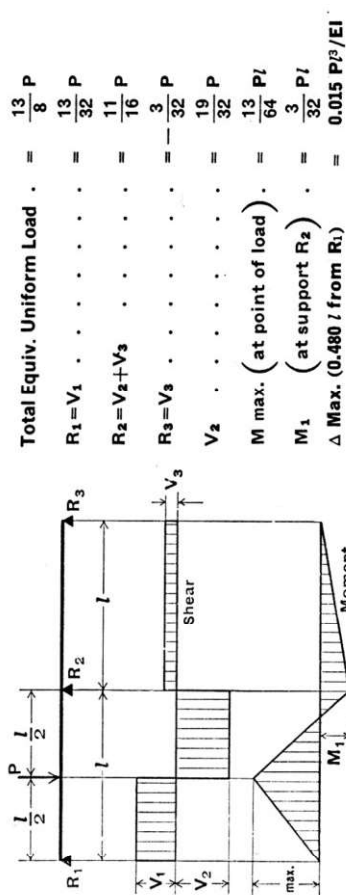
28. BEAM OVERHANGING ONE SUPPORT—CONCENTRATED LOAD AT ANY POINT BETWEEN SUPPORTS



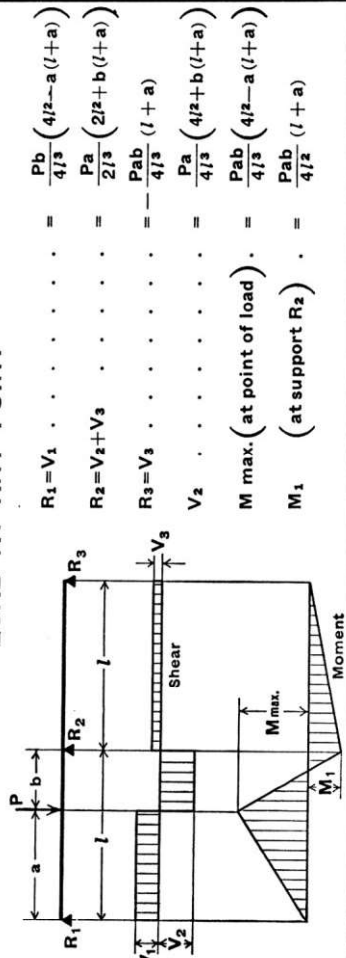
29. CONTINUOUS BEAM—TWO EQUAL SPANS—UNIFORM LOAD ON ONE SPAN



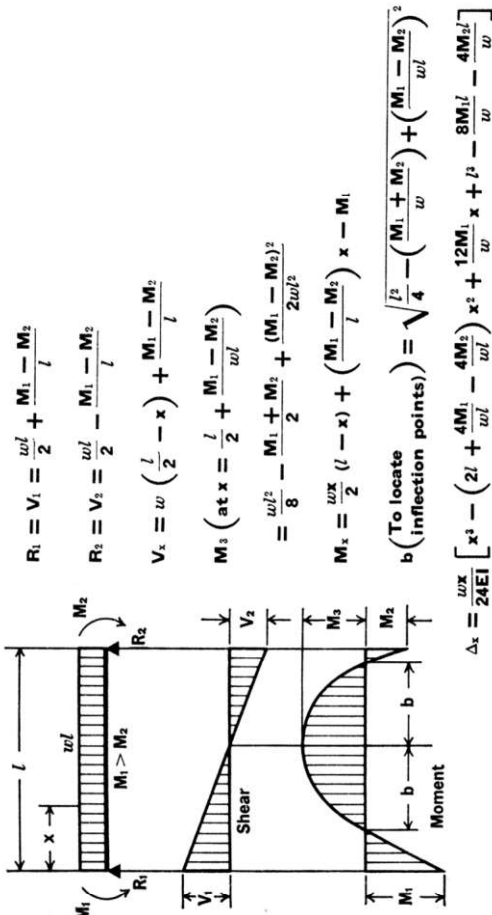
30. CONTINUOUS BEAM—TWO EQUAL SPANS—CONCENTRATED LOAD AT CENTER OF ONE SPAN



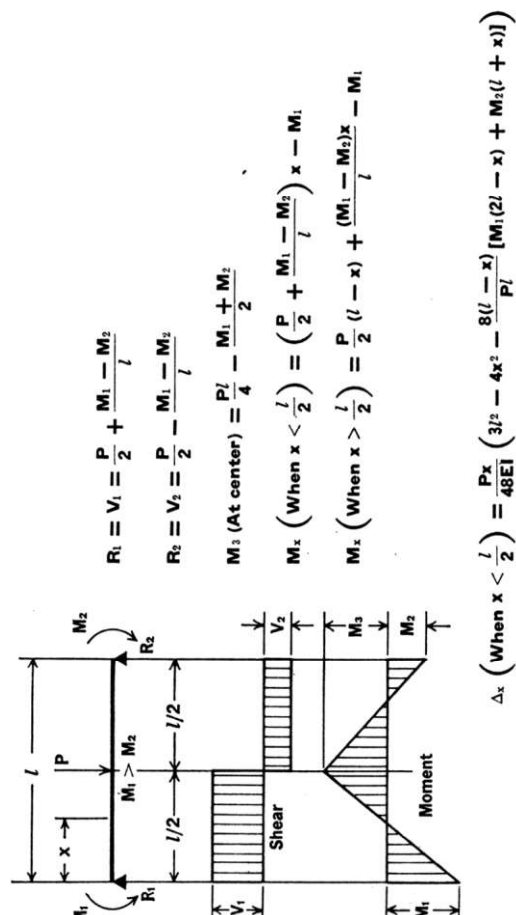
31. CONTINUOUS BEAM—TWO EQUAL SPANS—CONCENTRATED LOAD AT ANY POINT



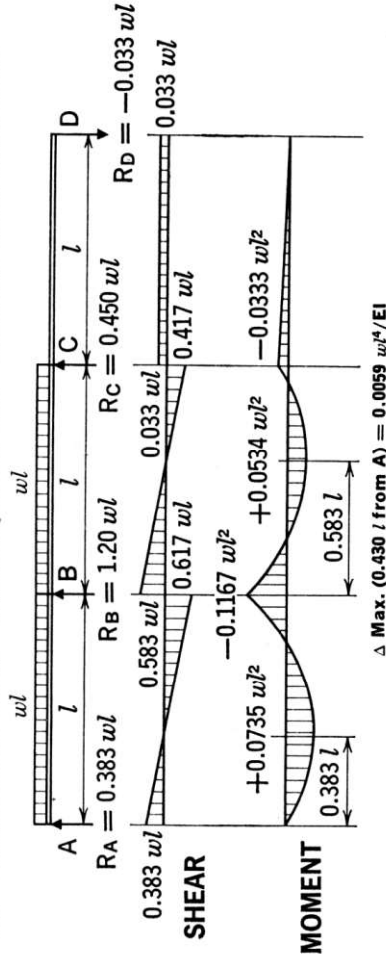
32. BEAM—UNIFORMLY DISTRIBUTED LOAD AND VARIABLE END MOMENTS



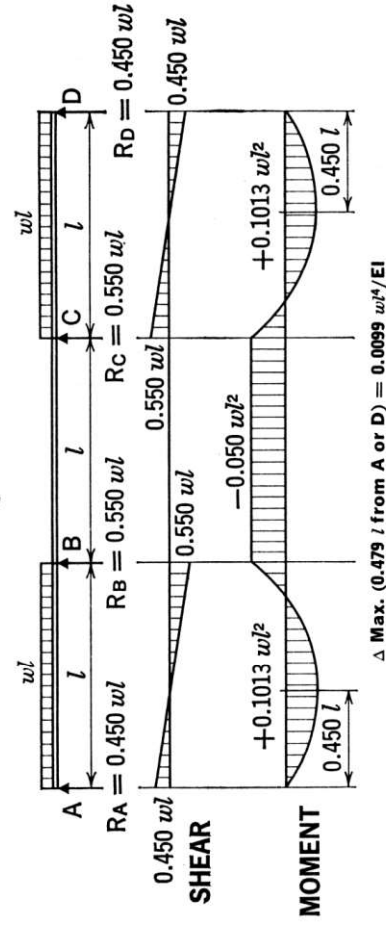
33. BEAM—CONCENTRATED LOAD AT CENTER AND VARIABLE END MOMENTS



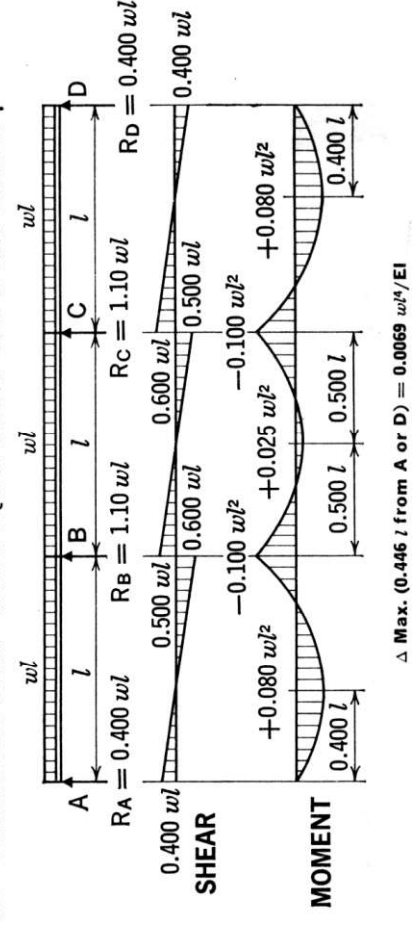
34. CONTINUOUS BEAM—THREE EQUAL SPANS—ONE END SPAN UNLOADED



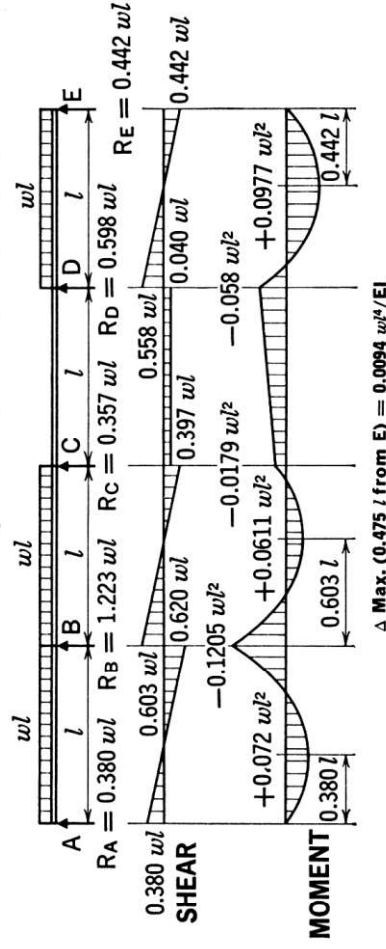
35. CONTINUOUS BEAM—THREE EQUAL SPANS—END SPANS LOADED



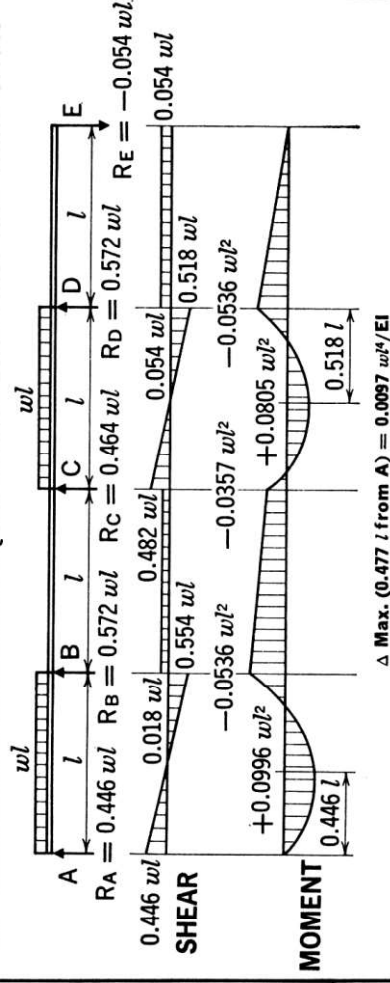
36. CONTINUOUS BEAM—THREE EQUAL SPANS—ALL SPANS LOADED



37. CONTINUOUS BEAM—FOUR EQUAL SPANS—THIRD SPAN UNLOADED



38. CONTINUOUS BEAM—FOUR EQUAL SPANS—LOAD FIRST AND THIRD SPANS



39. CONTINUOUS BEAM—FOUR EQUAL SPANS—ALL SPANS LOADED

