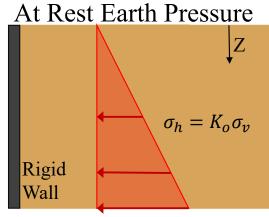
## Lateral Pressure and Retaining Structures

General Considerations: CERM 37 & Essentials-McCarthy (719)

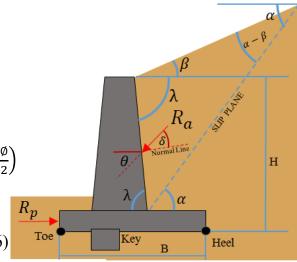
- Earth Pressure Types
  - AT REST: When homogenous isotropic soil, vertical principal stress is = to the overburden
    - or  $\sigma_{v} = \gamma_{soil} Z$
    - The horizontal pressure is related to vertical pressure by  $\frac{\sigma_h}{\sigma_v} = \frac{v}{1-v} = 1 \sin(\phi')$ 
      - Where:  $\phi'$  is the effective stress angle of internal friction.
      - This is valid for OCR = 1. For greater OCR use  $\sigma_h = \sigma_v [1 \sin(\phi')] OCR^{\sin(\phi')}$
    - Pressure per unit length of wall =  $P_0 = \frac{1}{2}K_o\gamma_t H^2$
    - When submerged, intergranular (effective) stress  $\sigma'_v$

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$$\sigma'_v = \sigma_v - u$$

- ACTIVE: Wall and soil movement pushing the wall out (away from the soil mass)
  - General Active horizontal earth pressure w/ level backfill:  $p_a = p_v K_a 2c \sqrt{K_a}$ 
    - This potentially allows the cohesion to cause tension cracking **at the top**.
  - General equation for  $K_a = \frac{\sin^2(\lambda + \phi)}{\sin^2\lambda \sin(\lambda \delta) \left(1 + \sqrt{\frac{\sin(\phi + \delta)\sin(\phi \beta)}{\sin(\lambda \delta)\sin(\lambda + \beta)}}\right)^2}$  see figure  $\Rightarrow$  for symbols
  - This equation is modified by geometry, soil type, and friction theory (CERM 37-3)
- Common ( $\beta = 0 \& \lambda = 90^{\circ}$ ) for dry cohesionless Rankine (no friction  $\delta$ ) soil  $K_a = tan^2 \left(45 \frac{\phi}{2}\right)$ 
  - Total Active Resultant per unit of wall length(acting at H/3 from bottom):
    - DRY COHESIONLESS SOIL:  $R_a = \frac{1}{2}p_a H = \frac{1}{2}K_a \gamma H^2$
    - INTERNAL FRICTION & COHESION:  $R_a = \frac{1}{2}K_a\gamma H^2 2c\sqrt{K_a}$  (essentials pg 726)



Active & Passive Earth Pressure

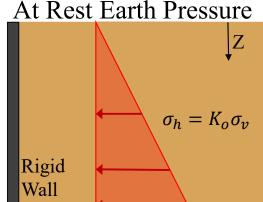


# Lateral Pressure and Retaining Structures

General Considerations: CERM 37 & Essentials-McCarthy (719)

- Earth Pressure Types
  - **Passive:** Wall and soil movement pushing against the soil mass
    - General PASSIVE horizontal pressure w/ level backfill:  $p_p = p_v K_p + 2c \sqrt{K_p}$ 
      - General equation for  $K_p = \frac{\sin^2(\lambda \phi)}{\sin^2\lambda \sin(\lambda + \delta) \left(1 \sqrt{\frac{\sin(\phi + \delta)\sin(\phi + \beta)}{\sin(\lambda + \delta)\sin(\lambda + \beta)}}\right)^2}$  see figure  $\Rightarrow$  for symbols

This equation is modified by geometry, soil type, and friction theory (CERM 37-4)



### Active & Passive Earth Pressure

- Common ( $\beta = 0 \& \lambda = 90^{\circ}$ ) for dry cohesionless Rankine (no friction  $\delta$ ) soil  $K_p = tan^2 \left(45 + \frac{\phi}{2}\right)$ Total Active Resultant per unit of wall length(acting at H/3 from bottom):
  - DRY COHESIONLESS SOIL:  $R_p = \frac{1}{2}p_p H = \frac{1}{2}K_p \gamma H^2$
  - INTERNAL FRICTION & COHESION:  $R_p = \frac{1}{2}K_p\gamma H^2 + 2c\sqrt{K_p}$  (essentials pg 726)

#### **Keywords:**

Level backfill  $\rightarrow \beta = 0$ 

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Vertical Wall  $\rightarrow \lambda = 90^{\circ}$ 

Rankine Theory  $\rightarrow$  No wall friction ( $\delta = 0$ )

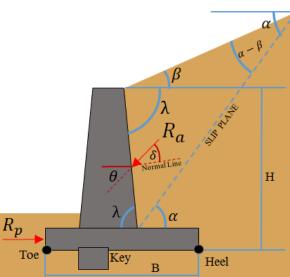
Granular Soil/Sand  $\rightarrow c = 0$ 

Saturated Clay  $\rightarrow \phi = 0 \& K_n = K_a = 1$ 

Good Visuals on pg 725 & 725 of Essentials McCarthy.

#### More movement/strain is required to achieve the PASSIVE state than the ACTIVE STATE

Active & Passive similar when top of wall is fixed. When the wall is going away from soil  $\rightarrow$  Active state Components of  $R_a \& R_p$  (See CERM 37-7)



### Lateral Pressure and Retaining Structures

 $R_{a(surcharge)} = K_a q H$ 

#### Effects of Groundwater & Freezing

- Groundwater affects the way the soil particles react to the wall
  - The general equation for pressure is a combination of loads above and below water line
    - Resulting Pressure per unit length  $R_a = #1 + #2 + #3 + #4$  or
    - $R_a = \frac{1}{2}K_a\gamma_t H_1^2 + K_a\gamma_t H_2^2 + \frac{1}{2}K_a\gamma_{sat} H_2^2 + \frac{1}{2}(1-K_a)\gamma_{water} H_2^2$
    - Acting at a height of  $h_{res} = \frac{\sum [R_{a(indiv)}h_{res(indiv)}]}{Total R_{a}}$

#### Surcharge loading Cerm 37-8 & 752 essentials.

- Depends on load type.
  - For distributed load, apply an additional pressure
  - Point loads require some equations.
    - See CERM 37-8 & Essentials pg 752.

#### **Design Considerations**

- Overturning (CERM example pg 37-9)
- Sliding (CERM Example 37-9 & 37-11)
- Bearing Capacity check (CERM Example 37-9)
- General Sizing of Cantilever Retaining Walls (CERM 37-12)
- CONCRETE DESIGN (CERM 54)

