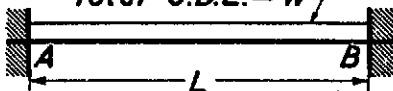
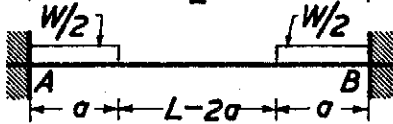
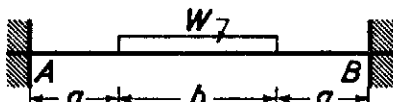
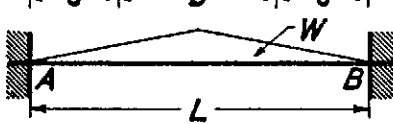
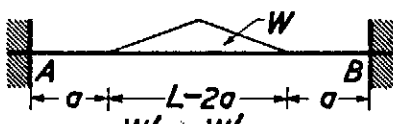
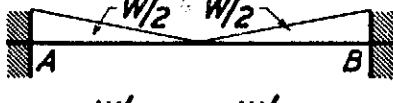
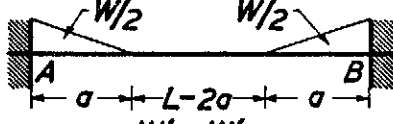
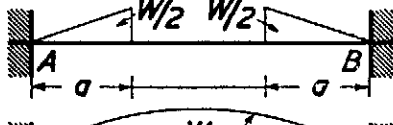
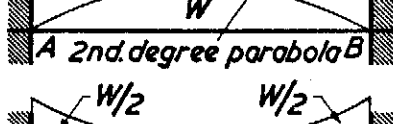
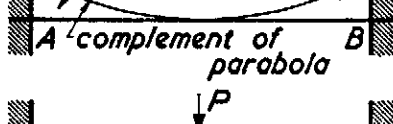
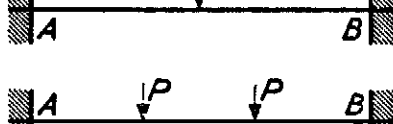
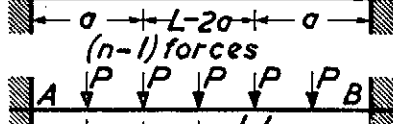
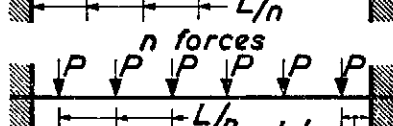
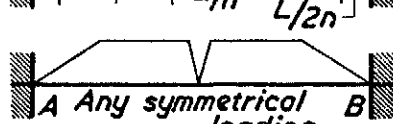
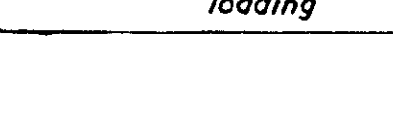


FIXED-END MOMENTS

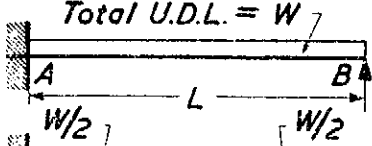
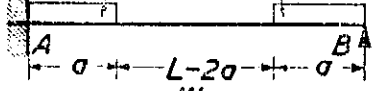
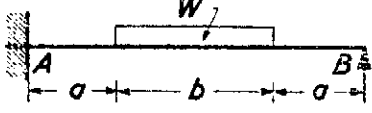
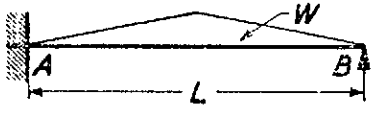
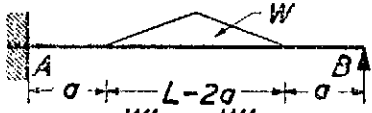
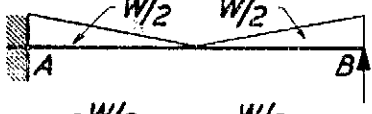
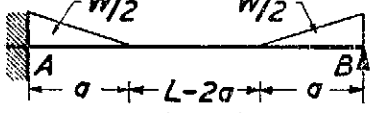

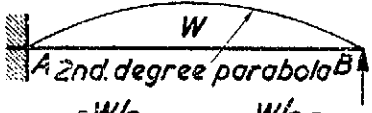
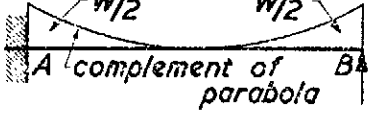
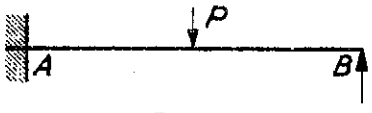
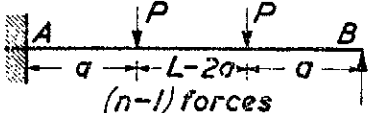
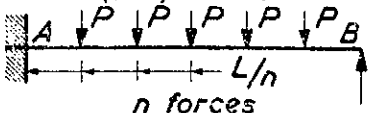
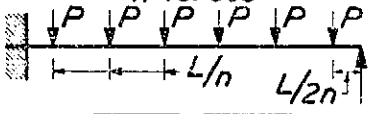
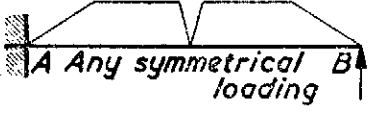
BUILT-IN BEAMS OF CONSTANT CROSS-SECTION	
Symmetrical loadings	Values of $+M_A$ and $-M_B$
 <p>Total U.D.L. = <math>W</math></p>	$-\frac{WL}{12}$
	$-\frac{Wa}{12L}(3L-2a)$
	$-\frac{W}{24L}(3L^2-b^2)$
	$-\frac{5WL}{48}$
	$-\frac{W}{48L}(5L^2+4aL-4a^2)$
	$-\frac{WL}{16}$
	$-\frac{Wa}{12L}(2L-a)$
	$-\frac{Wa}{12L}(4L-3a)$
 <p>A 2nd degree parabola B</p>	$-\frac{WL}{10}$
 <p>A complement of parabola B</p>	$-\frac{WL}{20}$
	$-\frac{PL}{8}$
 <p>(n-1) forces</p>	$-\frac{Pa}{L}(L-a)$
 <p>n forces</p>	$-\frac{PL}{12n}(n^2-1)$
	$-\frac{PL}{24n}(2n^2+1)$
 <p>A Any symmetrical loading B</p>	$-\frac{A_s}{L}$

Where  $A_s$  is the area of the 'free' bending moment diagram

FIXED-END MOMENTS

BUILT-IN BEAMS OF CONSTANT CROSS-SECTION	
Asymmetrical loadings	Values of $M_A$ and $M_B$
	$M_A = -\frac{11}{96} WL$ $M_B = +\frac{5}{96} WL$
	$M_A = -\frac{WL}{12} \cdot m (3m^2 - 8m + 6)$ $M_B = +\frac{WL}{12} \cdot m^2 (4 - 3m)$
	$M_A = -\frac{W}{12L^2 b} [e^3(4L - 3e) - c^3(4L - 3c)]$ $M_B = +\frac{W}{12L^2 b} [d^3(4L - 3d) - a^3(4L - 3a)]$
	$M_A = -\frac{WL}{10}$ $M_B = +\frac{WL}{15}$
	$M_A = -\frac{Wa}{30L^2} (3a^2 + 10bL)$ $M_B = +\frac{Wa^2}{30L^2} (5L - 3a)$
	$M_A = -\frac{Wa}{15L^2} (10L^2 - 15aL + 6a^2)$ $M_B = +\frac{Wa^2}{10L^2} (5L - 4a)$
	$M_A = +M \frac{b}{L^2} (3a - L)$ $M_B = +M \frac{a}{L^2} (3b - L)$
	$M_A = -\frac{Pab^2}{L^2}$ $M_B = +\frac{Pa^2b}{L^2}$
	$\text{When } x = \frac{4L - 3a - \sqrt{4L^2 - 9a^2}}{6}$ $M_{A \text{ max.}} = -\frac{P}{54L^2} [8L^3 + (4L^2 - 9a^2)^{3/2}]$ $\text{corresponding } M_B = +\frac{P}{54L^2} [4L^3 + (2L^2 + 9a^2)\sqrt{4L^2 - 9a^2}]$
	$M_A = -\left[ \frac{4A_s}{L} - \frac{6A_s \bar{x}}{L^2} \right]$ $M_B = +\left[ \frac{6A_s \bar{x}}{L^2} - \frac{2A_s}{L} \right]$

Where  $A_s$  is the area of the 'free' B.M. Diagram and  $\bar{x}$  is the distance from A to its centroid

PROPPED CANTILEVERS OF CONSTANT CROSS-SECTION	
Symmetrical loadings	Values of fixing moment $M_A$
 <p>Total U.D.L. = <math>W</math></p>	$-\frac{WL}{8}$
	$-\frac{Wa}{8L}(3L-2a)$
	$-\frac{W}{16L}(3L^2-b^2)$
	$-\frac{5WL}{32}$
	$-\frac{W}{32L}(5L^2+4aL-4a^2)$
	$-\frac{3WL}{32}$
	$-\frac{Wa}{8L}(2L-a)$
	$-\frac{Wa}{8L}(4L-3a)$
 <p>A 2nd degree parabola</p>	$-\frac{3WL}{20}$
 <p>A complement of parabola</p>	$+\frac{3WL}{40}$
	$-\frac{3PL}{16}$
 <p>(n-1) forces</p>	$-\frac{3Pa}{2L}(L-a)$
 <p>n forces</p>	$-\frac{PL}{8n}(n^2-1)$
 <p>n forces</p>	$-\frac{PL}{16n}(2n^2+1)$
 <p>A Any symmetrical loading</p>	$-3A_s/2L$

Where  $A_s$  is the area of the 'free' bending moment diagram

For cantilevers of opposite hand, the fixing moments  $M_B$  are of opposite sign.

FIXED-END MOMENTS

PROPPED CANTILEVERS OF CONSTANT CROSS-SECTION	
Asymmetrical loadings	Values of fixing moment $M_A$
	$-\frac{9}{64} WL$
	$-\frac{7}{64} WL$
	$-\frac{Wa}{8} (2-m)^2$
	$-\frac{Wb}{8} (2-m^2)$
	$-\frac{W}{8L^2 b} (d^2 - c^2)(2L^2 - c^2 - d^2)$
	$-\frac{2}{15} WL$
	$-\frac{7}{60} WL$
	$-\frac{Wa}{60L^2} (3a^2 - 15aL + 20L^2)$
	$-\frac{Wb}{15L^2} (5L^2 - 3b^2)$
	$-\frac{Wa}{60L^2} \left( \frac{m^2}{5} - \frac{3m}{4} + \frac{2}{3} \right)$
	$-\frac{Wb}{60L^2} (10L^2 - 3b^2)$
	$+\frac{M}{2} (2 - 6n + 3n^2)$
	$-\frac{Pb}{2L^2} (L^2 - b^2)$
	$-\frac{3A_s \bar{x}}{L^2}$

Where  $A_s$  is the area of the 'free' B.M. diagram, considering AB as a beam, and  $\bar{x}$  is the distance from B to its centroid

For cantilevers of opposite hand, the fixing moments  $M_B$  are of opposite sign.

